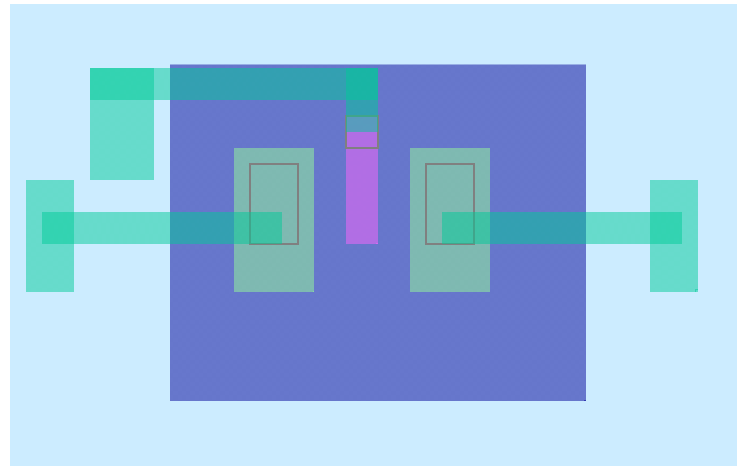
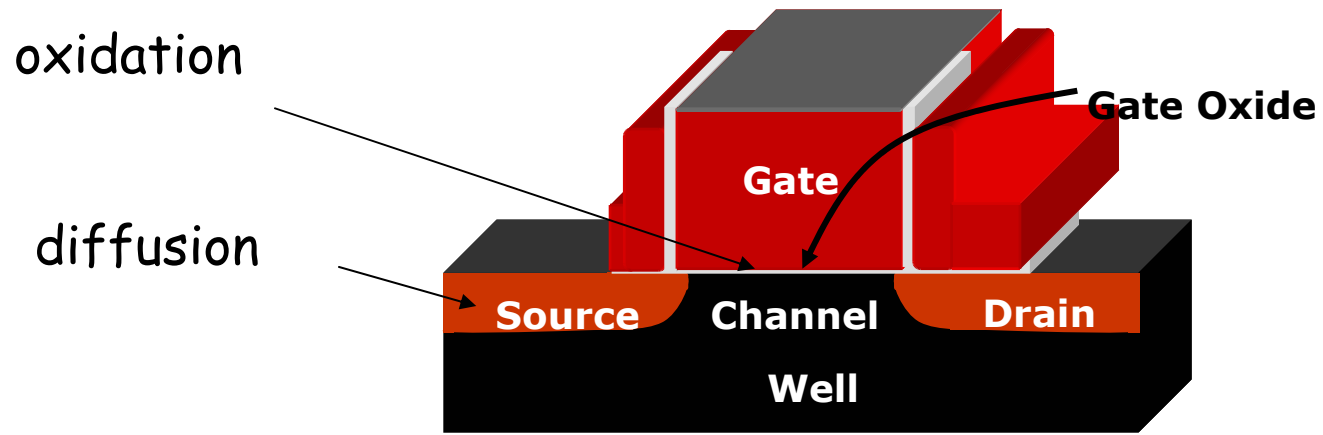


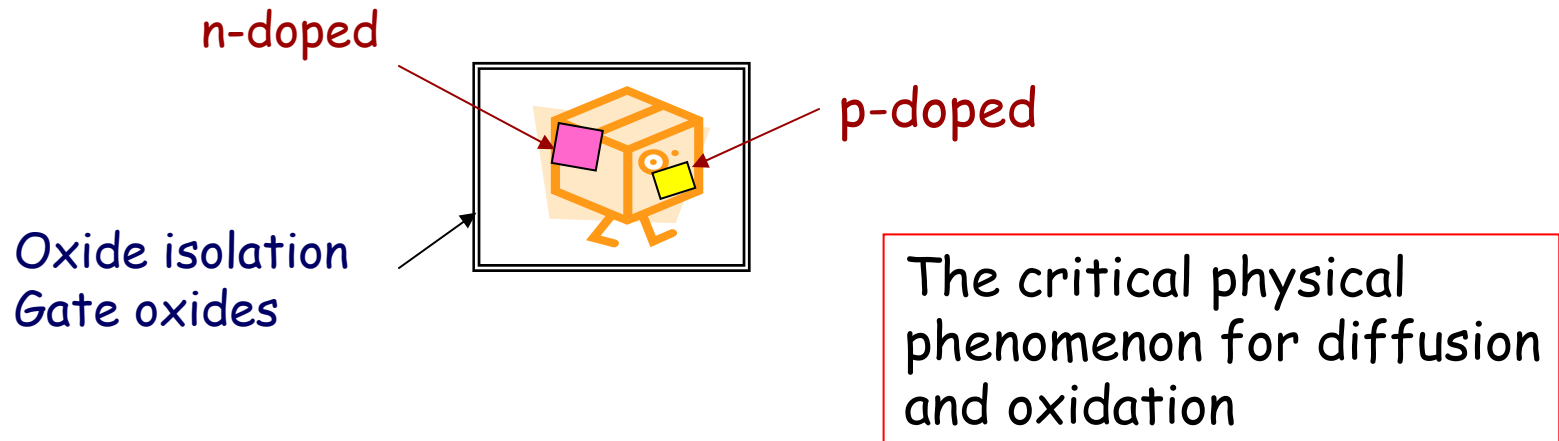
# Building a 3D Structure, layer by layer



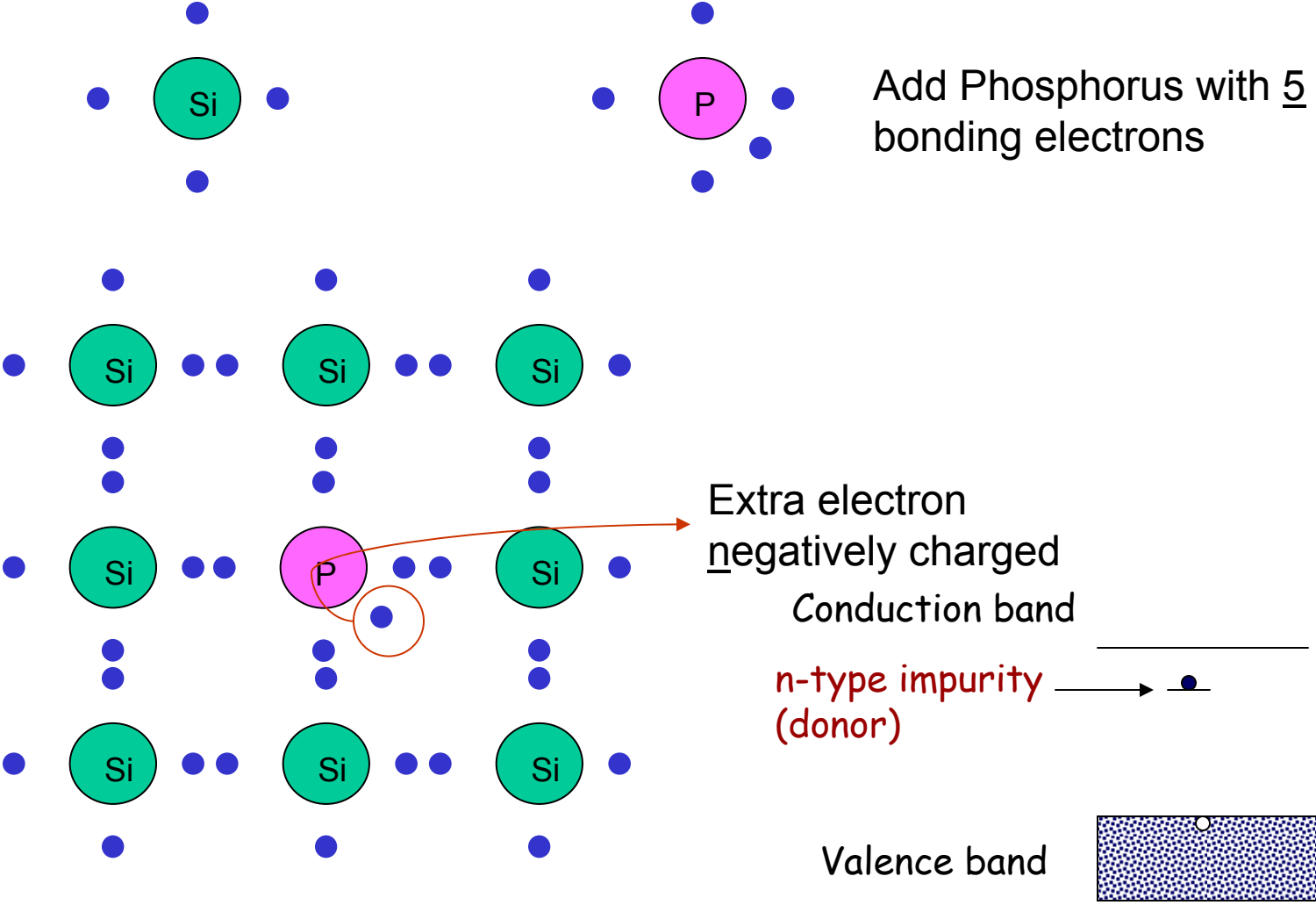
- Well**
- Source and drain**
- Gate**
- Windows**
- Metal interconnects**

# What are the key elements of this 'new' fabrication technology?

- Making a pattern (template)
  - Transferring that template into your material
1. Lithography
  2. Metalization and making contact to the outside world
  3. Defining local electronic behavior: doping
  4. Isolating electronic regions: oxidation
  5. Carving out different regions of the material: etching

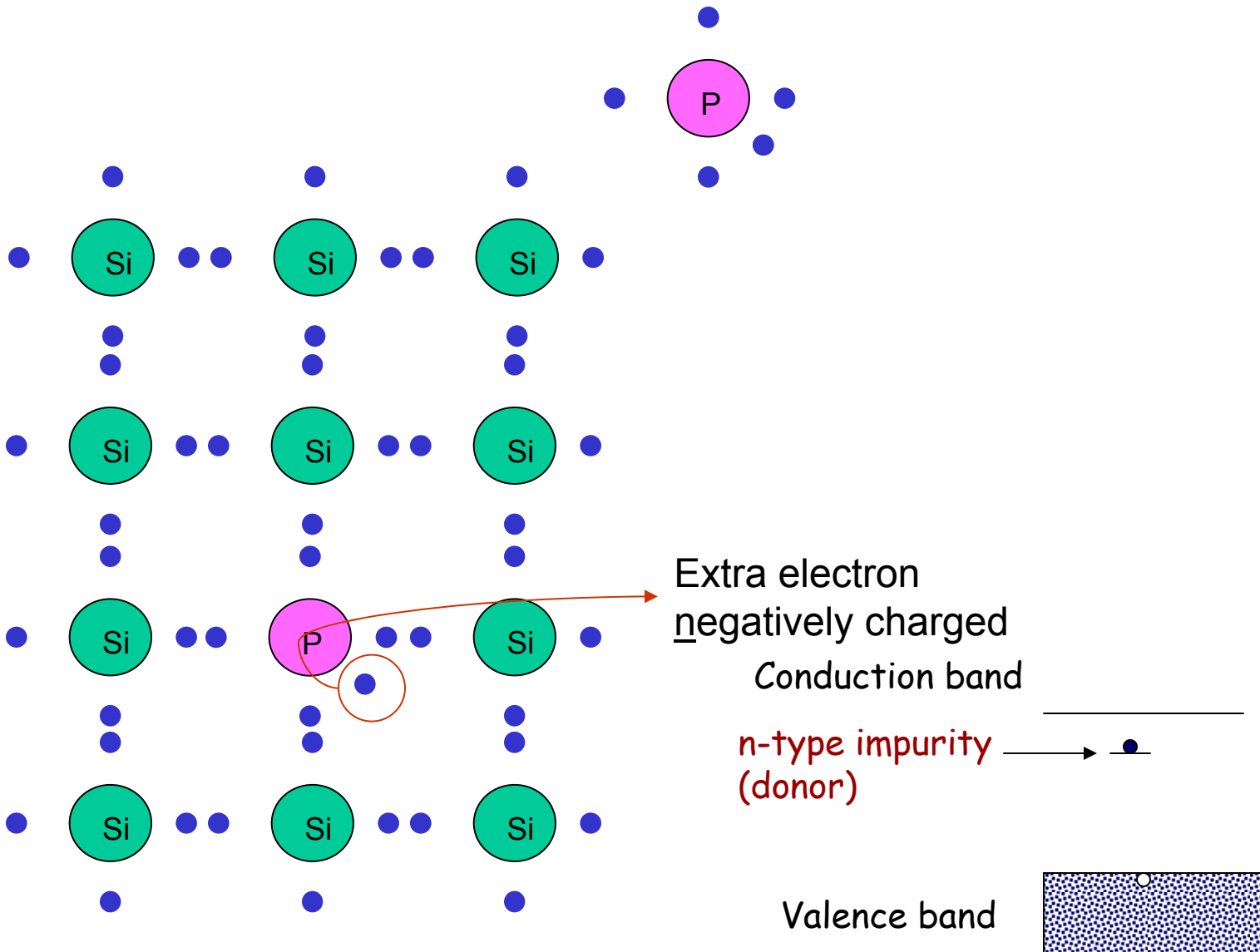


# N-type Silicon

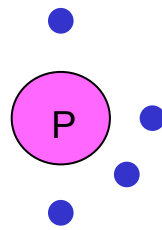
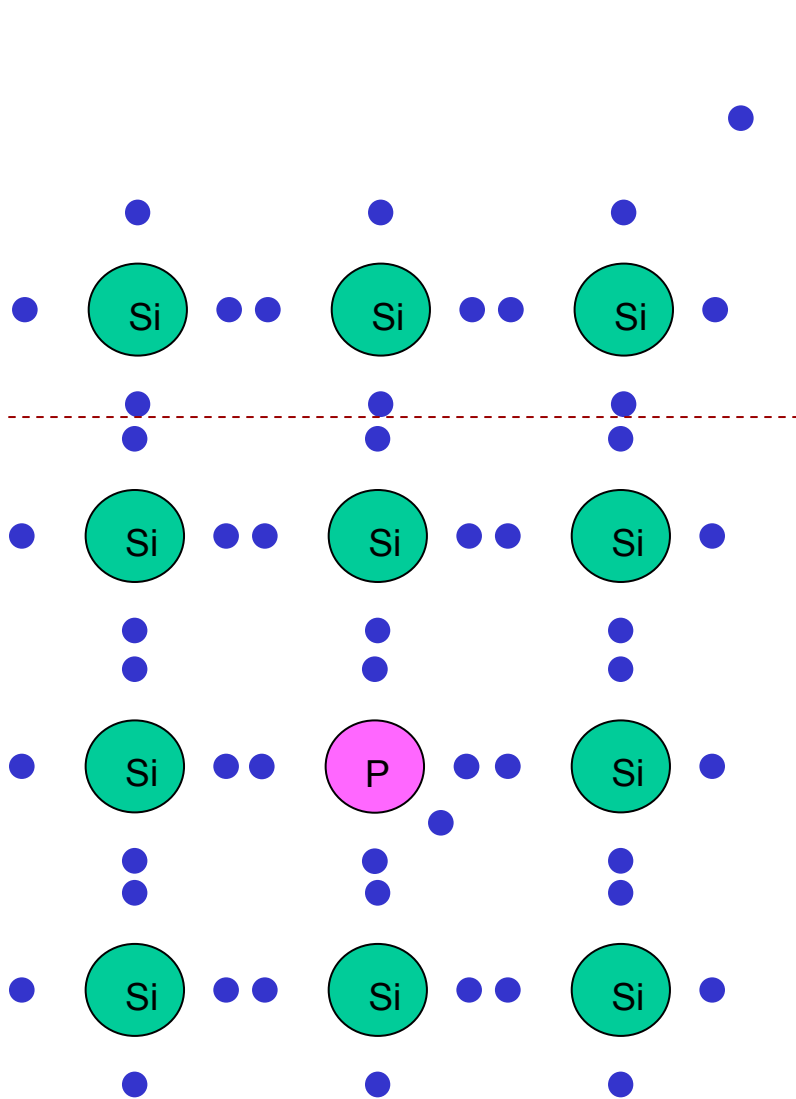


Dopants provide mobile carriers, but leave ionized cores

# How to place dopants into the material?

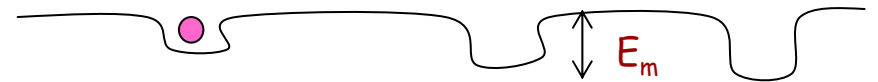


# How to place dopants into the material?



Interstitial

Potential landscape



Frequency of hopping

$$v = v_0 g \exp \{-E_m/kT\}$$

$v$  = frequency of jumps

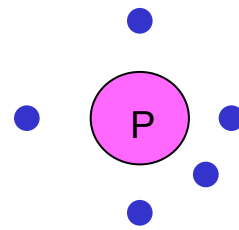
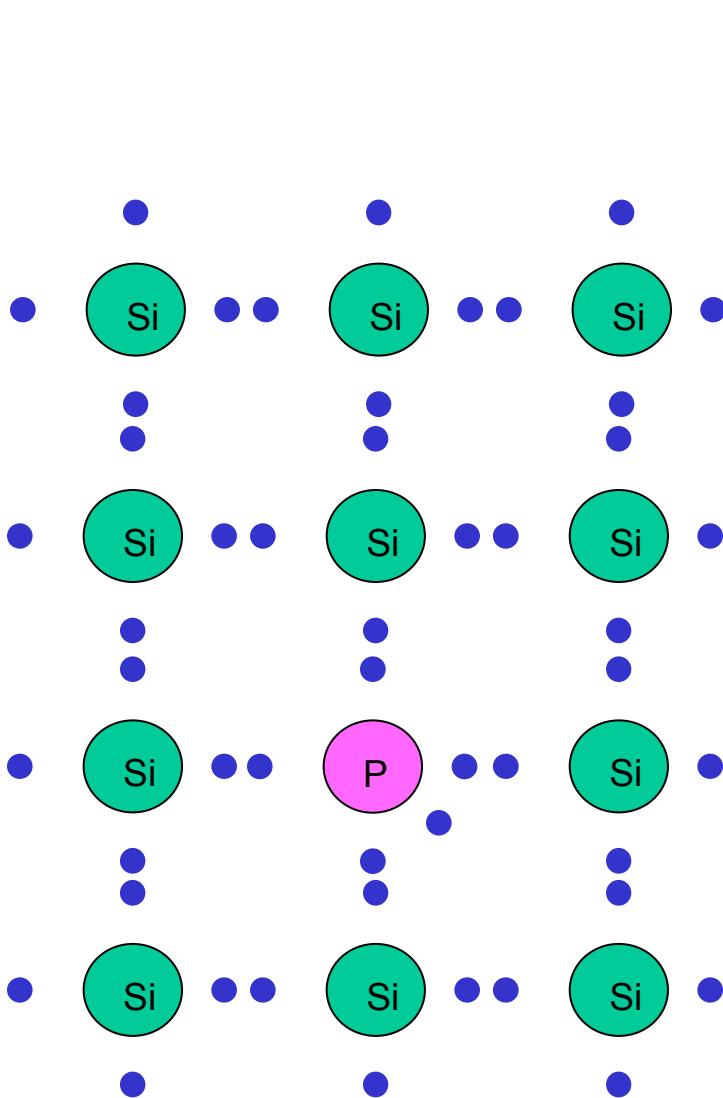
$v_0$  = lattice vibration frequency

$$= 10^{13}-10^{14} \text{ sec}^{-1}$$

$g$  = number of sites available to jump to

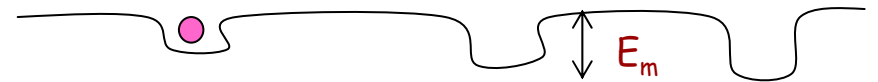
$E_m$  = an activation energy

# How to place dopants into the material?



Substitutional

Potential landscape



Frequency of hopping

$$v = v_0 g \exp \{-E_n/kT\} \exp \{-E_s/kT\}$$

$v$  = frequency of jumps

$v_0$  = lattice vibration frequency

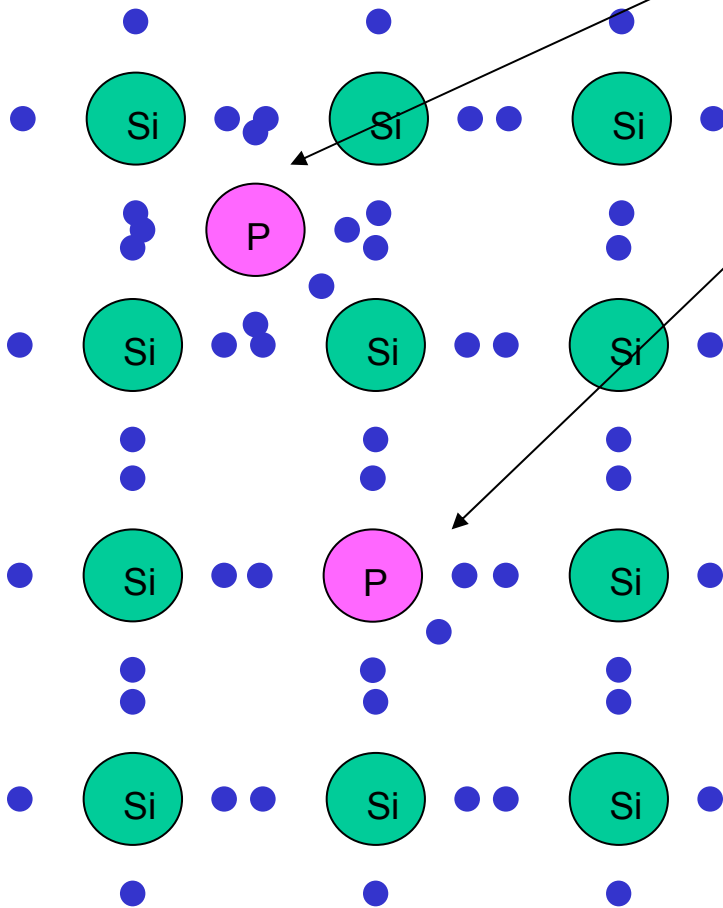
$$= 10^{13} - 10^{14} \text{ sec}^{-1}$$

$g$  = number of sites available to jump to

$E_n$  = an activation energy

$E_s$  = energy of formation of a vacancy

# Interstitial versus Substitutional Diffusion



**Interstitial**

$$E_m \sim 0.6 - 1.2 \text{ eV}$$

$\sim 1$  jump /minute

**Substitutional**

$$E_n + E_s \sim 3-4 \text{ eV}$$

$\sim 1$  jump/ $10^{45}$  years

Frequency of hopping

$$v = v_0 g \exp \{-E_n/kT\} \exp \{-E_s/kT\}$$

$v$  = frequency of jumps

$v_0$  = lattice vibration frequency

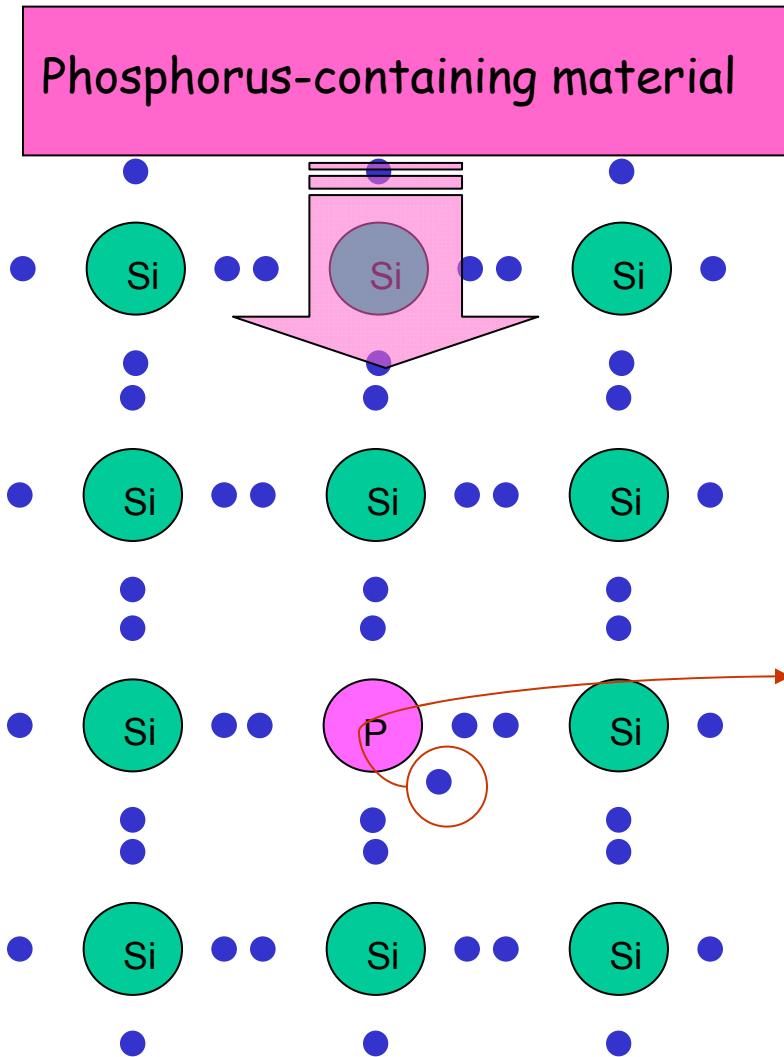
$$= 10^{13}-10^{14} \text{ sec}^{-1}$$

$g$  = number of sites available to jump to

$E_n$  = an activation energy

$E_s$  = energy of formation of a vacancy

# How to place dopants into the material?



**FORMERLY**

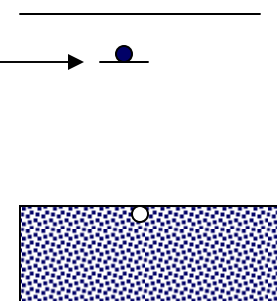
$$\text{Flux} = P_{eq} / \{2\pi k T M\}^{1/2}$$

Use a mechanism with a FLUX that depends on a CONCENTRATION GRADIENT

Extra electron  
negatively charged  
Conduction band

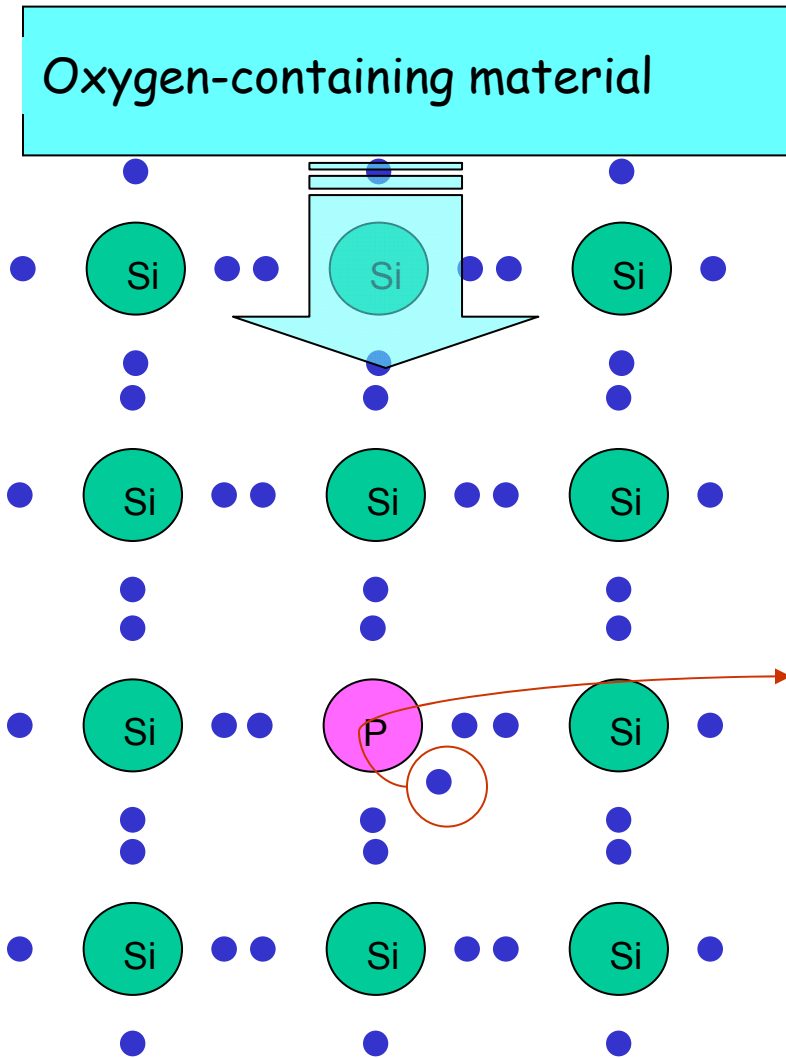
n-type impurity  
(donor)

Valence band





# How to form an oxide in the material?

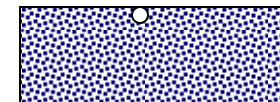


Use a mechanism with a FLUX that depends on a CONCENTRATION GRADIENT

Extra electron  
negatively charged  
Conduction band

n-type impurity (donor) →

Valence band



# Diffusion at the Atomic Level

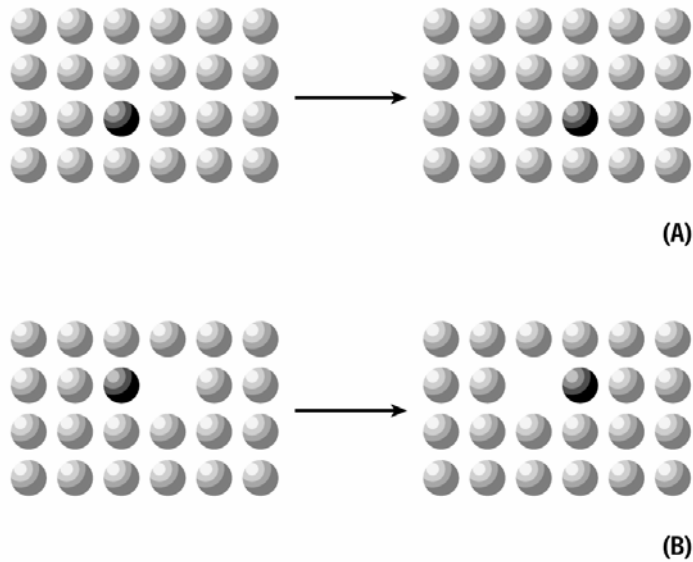


Figure 3.3 Diffusion of an impurity atom by direct exchange (A) and by vacancy exchange (B). The latter is much more likely due to the lower energy required.

Fick's First Law:  $j = -D \frac{dC}{dx}$

$j$  = flux,  $D$  = diffusion constant  
 $C$  = concentration of impurities

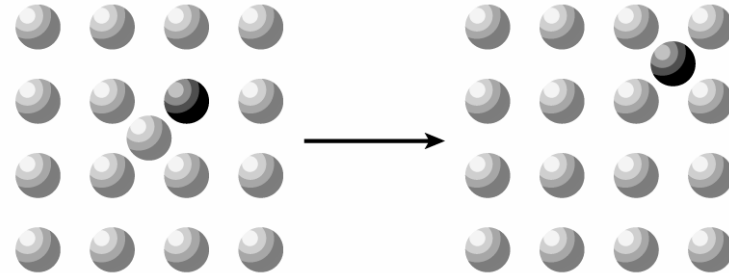


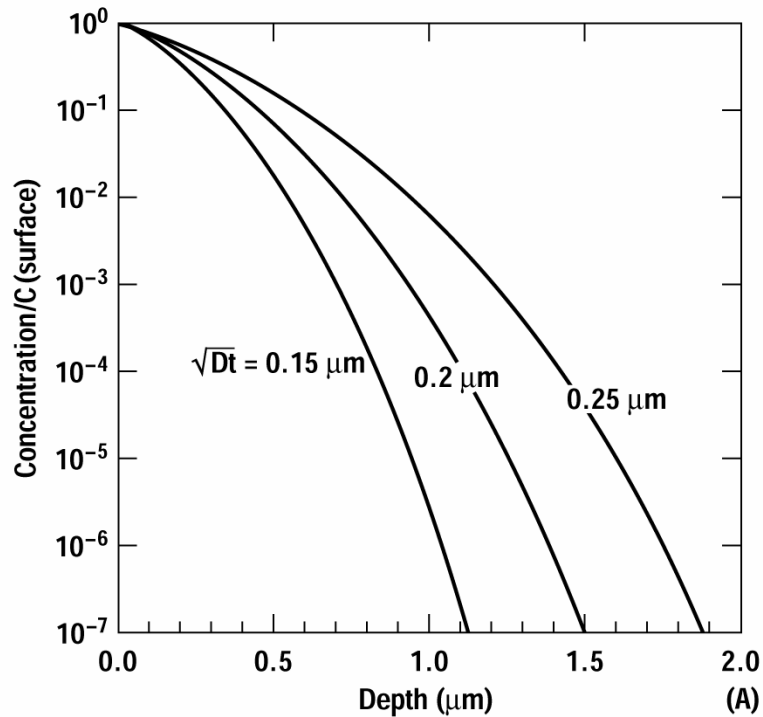
Figure 3.5 In interstitialcy diffusion an interstitial silicon atom displaces a substitutional impurity, driving it to an interstitial site where it diffuses some distance before it returns to a substitutional site.

Fick's Second Law

$$\frac{dC}{dt} = D \frac{d^2C}{dx^2}$$

# Pre-deposition and Drive-in Diffusion Profiles: Solutions to Fick's 2<sup>nd</sup> Law

Erfc (complementary error function)  
'infinite' source



Gaussian: finite source

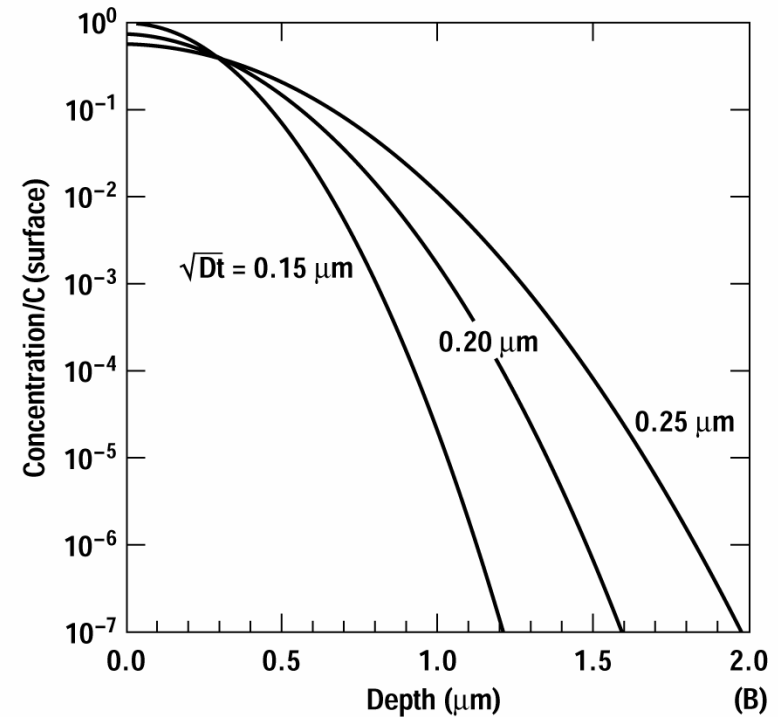


Figure 3.7 Concentration as a function of depth for (A) predeposition and (B) drive in diffusions for several values of the characteristic diffusion length.

# Pre-deposition and Drive-in Diffusion Profiles

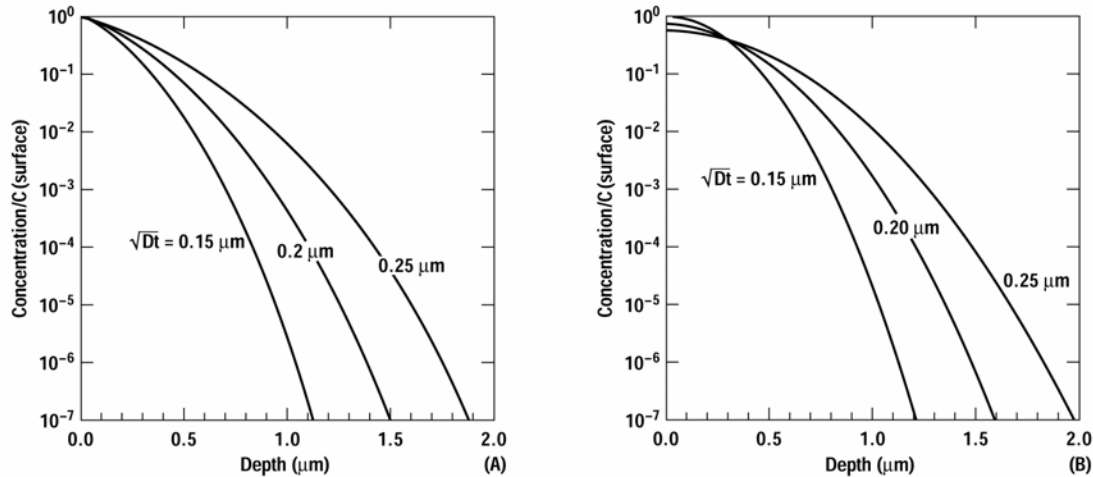
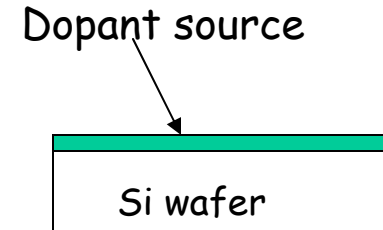


Figure 3.7 Concentration as a function of depth for (A) predeposition and (B) drive in diffusions for several values of the characteristic diffusion length.



**Step 1:** carry out 'predeposition' for **short time, low T** to introduce a 'finite' amount of impurity to serve as source

$$Q_0 = 2/\pi^{1/2} C(0, t_1) (D_1 t_1)^{1/2}$$



**Step 2:** Remove excess source from material surface. Drive-in the amount  $Q_0$  into the material for a (longer) time  $t_2$ , and at a higher T.

$$C(x, t_1, t_2) = Q_0 / (\pi D_2 t_2)^{1/2} \exp \{-x^2 / (4 D_2 t_2)\}$$

$$= 2/\pi [(D_1 t_1) / (D_2 t_2)]^{1/2} \exp \{-x^2 / (4 D_2 t_2)\}$$



# Forming an electronic junction in a semiconductor

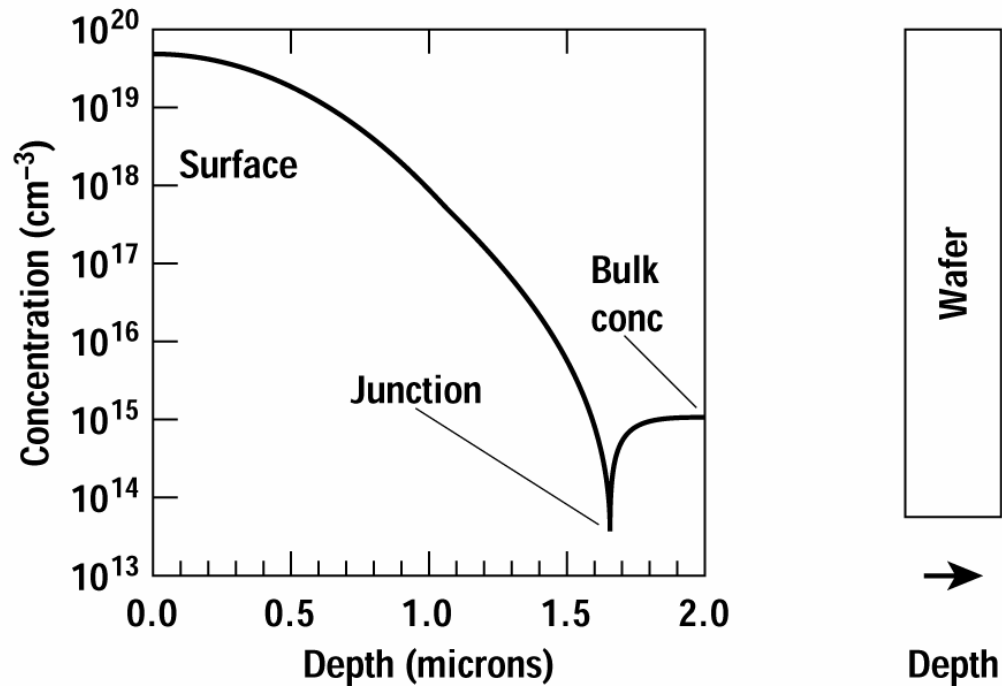
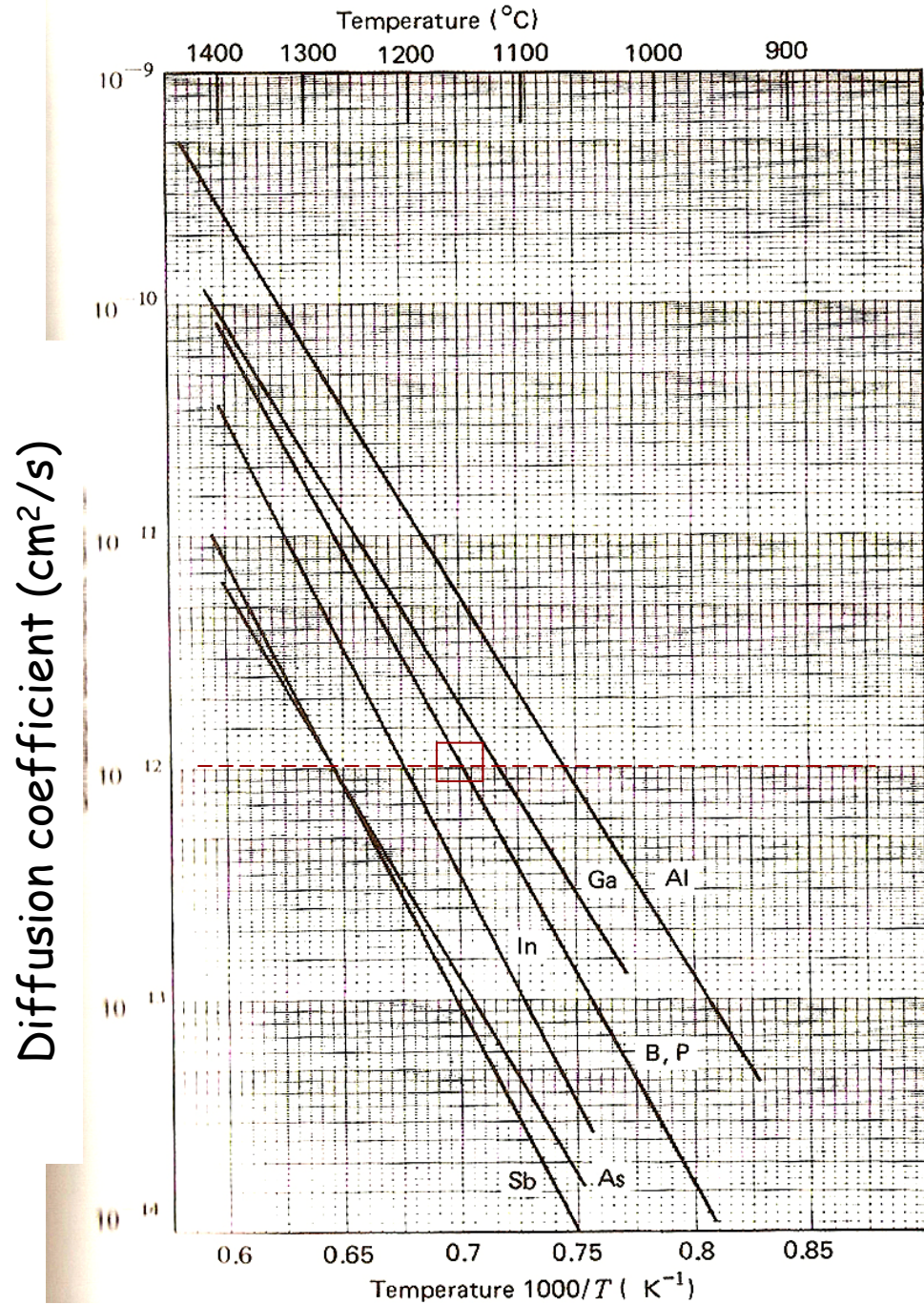


Figure 3.1 Typical concentration plot of impurities or carriers as a function of depth into the wafer. Note that these profiles are typically much less than 1% of the total wafer thickness.

# Diffusion Constants in Silicon vs. Temperature

$$L_d = [Dt]^{1/2}$$

For  $L_d = 0.2$  microns,  
 $D = 10^{-12}$  cm<sup>2</sup>/sec,  
 $t = ?$



From Ghandhi  
VLSI Fabrication Principles

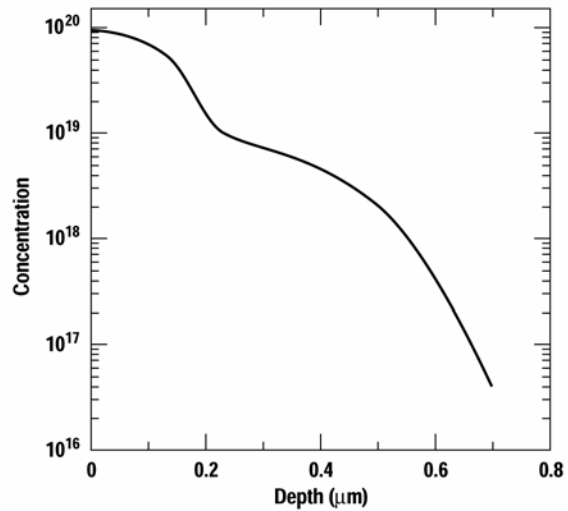


Figure 3.10 Typical profile for a high concentration phosphorus diffusion.

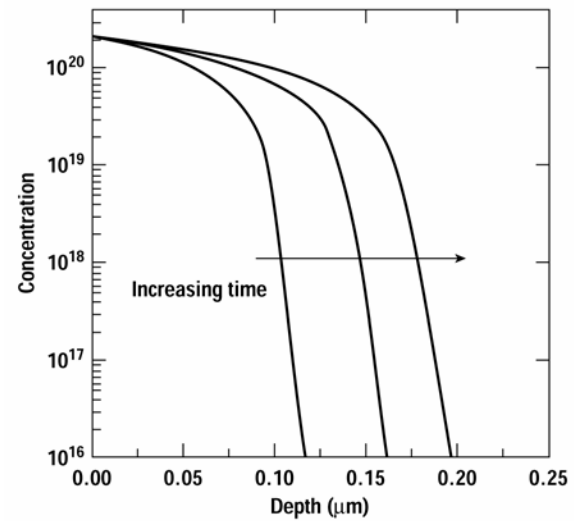


Figure 3.9 Typical profile for a high concentration arsenic diffusion.

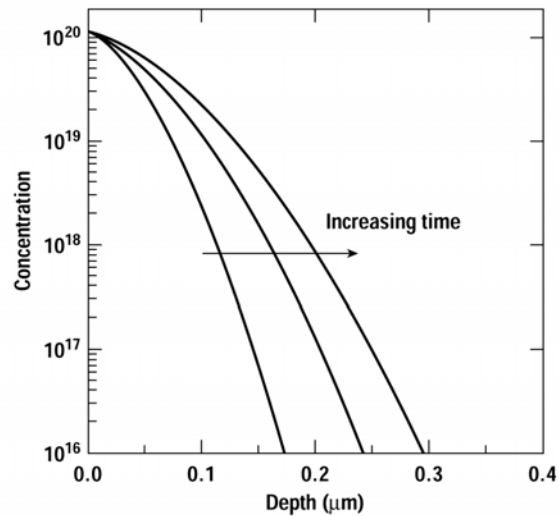


Figure 3.8 Typical profile for a high concentration boron diffusion.

High dopant concentrations, local electric fields, clustering, may lead to different diffused profiles

# Diffusion Furnaces



Source wafers