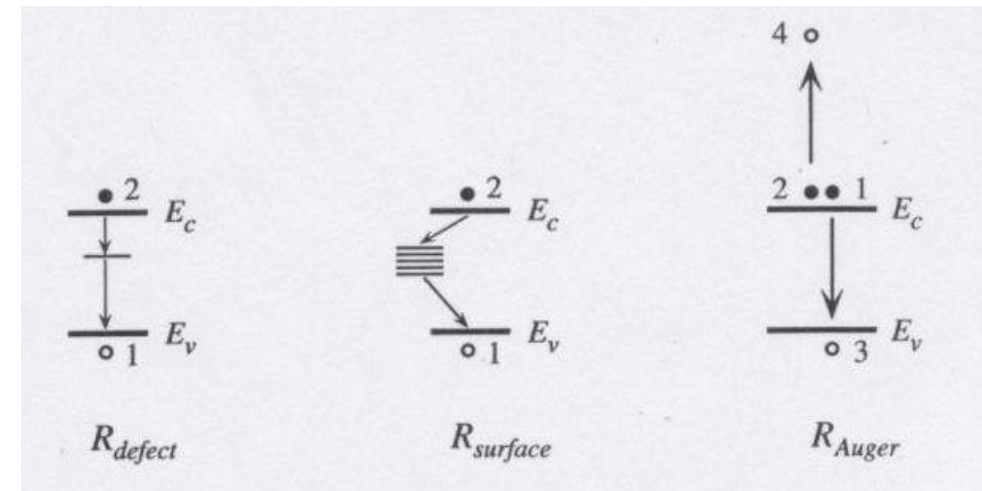
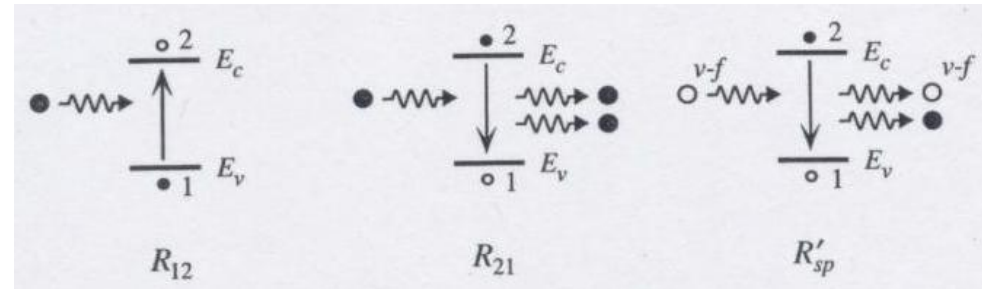


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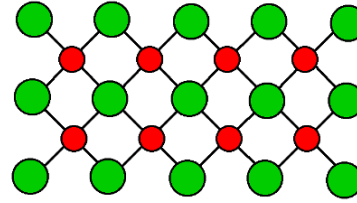
Radiative and nonradiative transitions

- Radiative transitions
 - Stimulated emission
 - Optical gain
 - Spontaneous emission
- Non-radiative transitions
 - Minimize in laser diodes
 - Need tools to quantify
 - Three main processes:
 - Defect
 - Surface
 - Auger

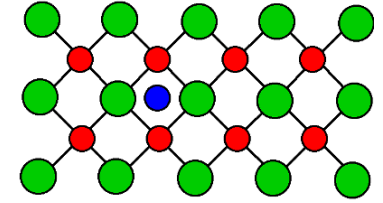


Defect and Impurity Recombination

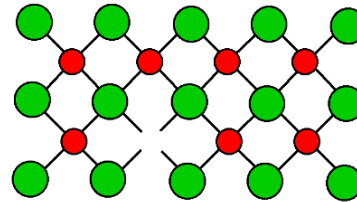
- Energy level in the middle of the gap
- Causes
 - Lattice defects (void, extra atom)
 - Dangling bonds
 - Impurities
 - Similar to dopants (but middle of the gap)
 - Oxygen (particularly bad in Al compounds)



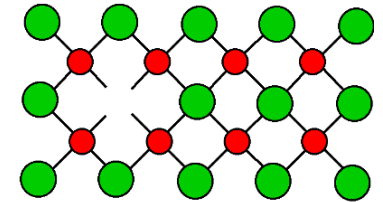
(a) perfect lattice



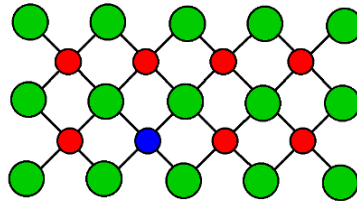
(b) interstitial impurity



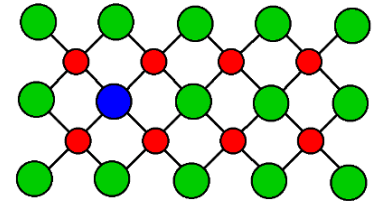
(c) cation vacancy



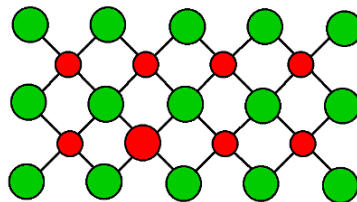
(d) anion vacancy



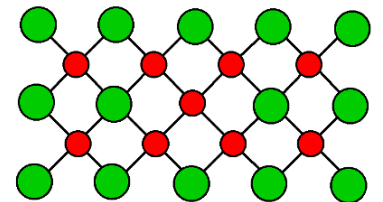
(e) substitution of cation



(f) substitution of anion



(g) B_A antisite defect



(h) A_R antisite defect

Shockley-Read-Hall theory

- 4 possible transition rates
- Setting the rates equal in thermal equilibrium
 - Recombination rate derived
- In Boltzman limit
 - τ_h – time to capture hole (all traps full)
 - τ_e – time to capture electron (all traps empty)
 - N^* and P^* calculated as if $E_f = E_{\text{trap}}$
 - Only deep level traps important, dominate

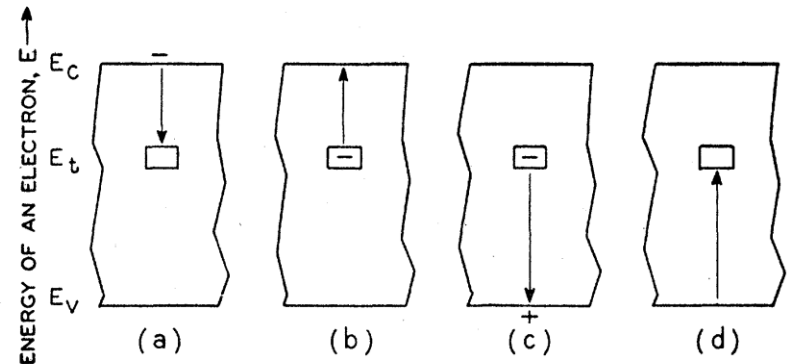


FIG. 1. The basic processes involved in recombination by trapping: (a) electron capture, (b) electron emission, (c) hole capture, (d) hole emission.

$$R_d = \frac{NP - N_i^2}{(N^* + N)\tau_h + (P^* + P)\tau_e},$$

SRH - limiting cases

$$R_d = \frac{NP - N_i^2}{(N^* + N)\tau_h + (P^* + P)\tau_e},$$

- High level injection, $P=N \gg N_i, N^*, P^*$
 - Important for lasers

$$R_d = \frac{N}{\tau_h + \tau_e}.$$

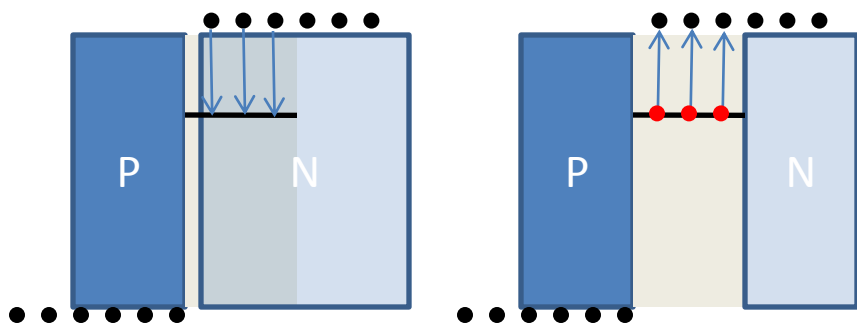
- Low level injection, deep traps (neglect N_i, N^*, P^*)

- In both cases
$$R_d = \delta N \frac{N_0 + P_0}{N_0\tau_h + P_0\tau_e}$$

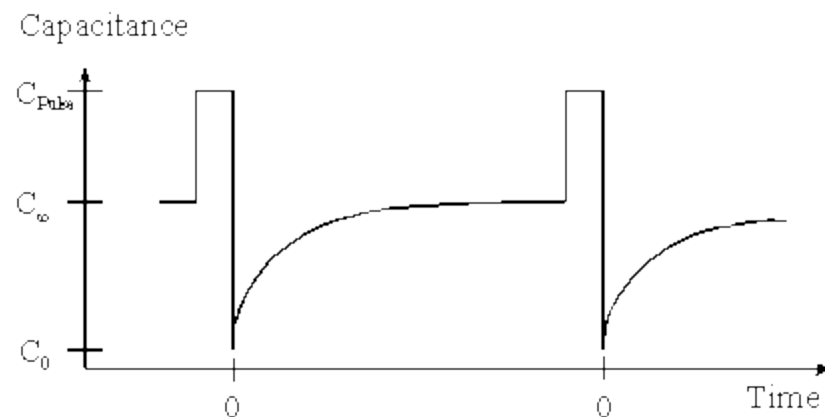
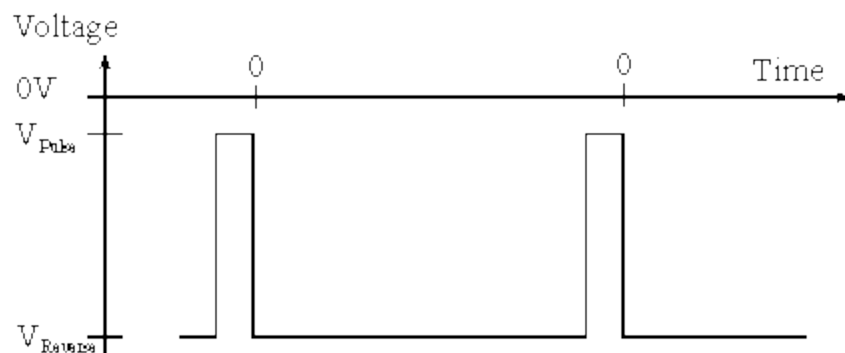
- Linear dependence with excess carrier density
- Lifetime increases with increased pumping

Deep level transient spectroscopy

- A typical method for evaluating deep energy levels
- Method – decrease and increase reverse bias voltage
 - Measure capacitance



Standard DLTS pulse scheme and capacitance signal:



Conclusions

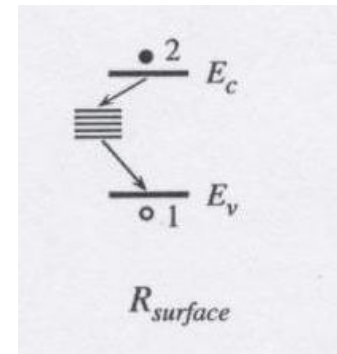
- Recombination problem for minority carriers
 - In heavily doped materials, majority current unaffected
 - Doping concentration
- Avoid defective/impure materials in active region
 - But cladding may be fine
- Modern growth techniques
 - 10^{16} cm^{-3} or better
 - Threshold current increase – indication of impurity/leak problems

Defects and Aging of Lasers

- With aging (15-30 years in service), thermal cycles cause stress to crystal
 - Stress causes small defects to spread and grow large
 - [Dark line defects](#)
- Strained layer materials
 - Thick strained layers full of defects
 - Techniques for blocking defect propagation exist
 - Example – GaAs/AlGaAs on Si substrate

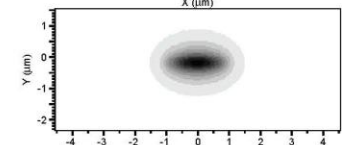
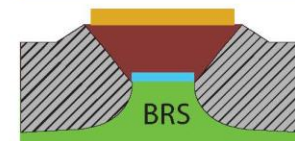
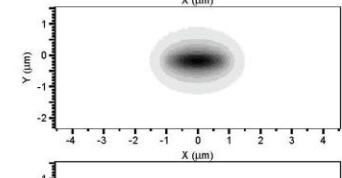
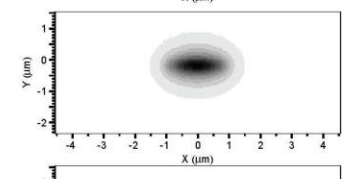
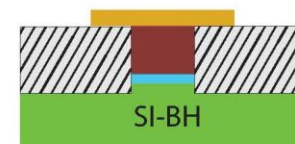
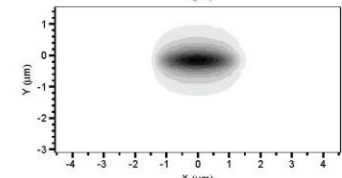
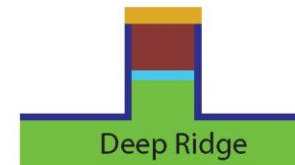
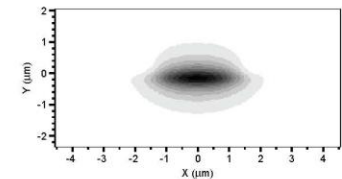
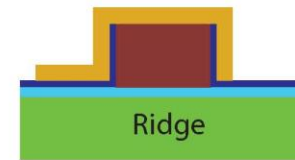
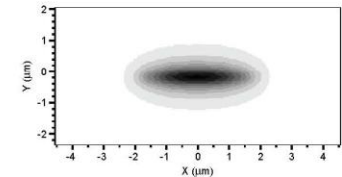
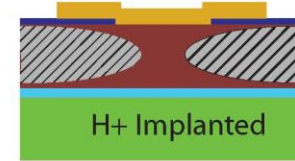
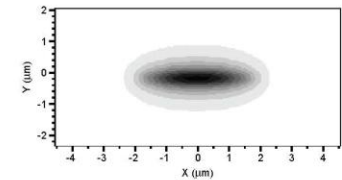
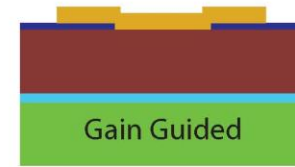
Surface and Interface Recombination

- Process analogous to defect and impurity recombination
- Cause – lattice termination
 - Surface
 - Interface between two materials
- Dangling bonds occur in very high density
 - They form a miniband (not a single trap level)
- Characterized by surface (sheet) density
 - Very important process in cases where surface to volume ratio is large (VCSEL)
- Regrowth



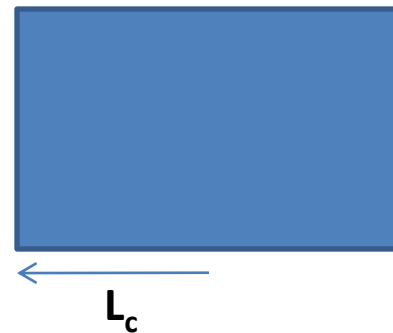
Examples – In plane confinement

- Gain guided and implanted
 - Apertured current
- Ridge
 - Current and weak photon
- Deep ridge
 - Strong photon, current
- Buried
 - All three confinement types



Surface and Interface Recombination

- Quantification and description accomplished via SRH theory
 - Instead of capture time, we define a capture rate, L_c/τ and capture length, L_c
 - Capture velocity
 - Larger length means larger rate
 - Velocity significance
 - Maximum capture velocity is determined by average [thermal velocity](#)
 - Upper limit of 10^7 cm/s
 - In most semiconductors, capture velocity 10x or more smaller

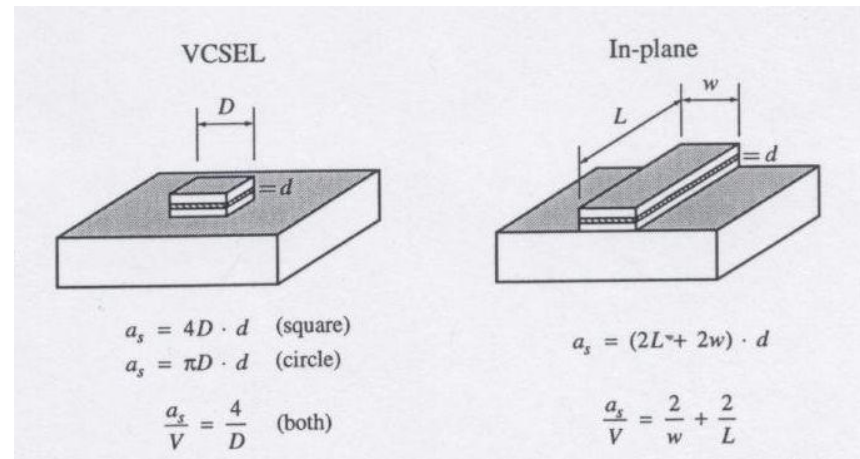


Surface and Interface Recombination

- From SRH theory, using capture velocities

$$R_{sr} = \frac{a_s}{V} \cdot \frac{NP - N_i^2}{N/v_h + P/v_e}$$

- First term, a_s/V , distributes exposed surface area over volume



- Again, surface recombination important for small pillar, narrow ridge cases

High injection case and current

$$R_{sr} = \frac{a_s}{V} \cdot \frac{NP - N_i^2}{N/v_h + P/v_e}$$

- High level injection, $P=N \gg N_i$
 - Important for lasers

$$R_{sr} = \frac{a_s}{V} v_s N \quad \frac{1}{v_s} = \frac{1}{v_h} + \frac{1}{v_e}$$

- Surface recombination velocity is average for holes and electrons (limited by slower carriers)
- Surface recombination current is given by

$$I_{sr} = qa_s v_s N \quad \text{and} \quad J_{sr} = qv_s N \left(\frac{a_s}{V} d \right)$$

- Question: how to estimate carrier density?

Measurement of recombination velocity

- Low level injection

$$v_s \equiv \frac{V}{a_s} \cdot \frac{R_{sr}}{\delta N} = \frac{N_0 + P_0}{N_0/v_h + P_0/v_e}$$

- Measured value depends on the type of doping (v_s)

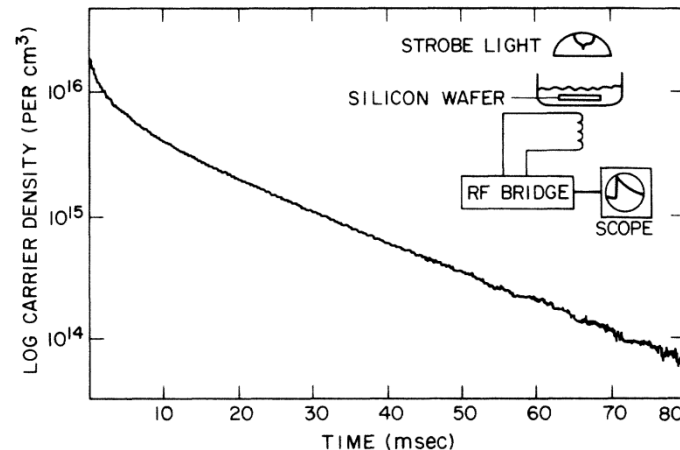
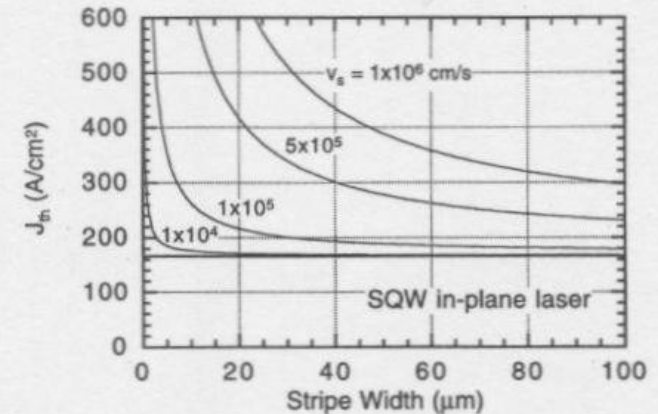
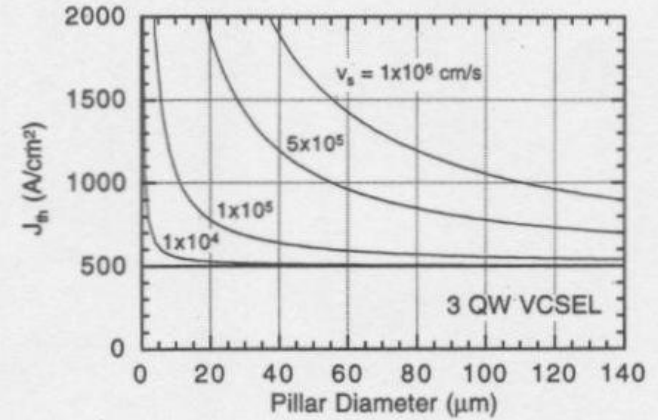


FIG. 1. Semilog plot of the carrier-density decay from a particularly long-lived 250- μ m-thick Si(111) sample immersed in HF acid.

- Threshold current measurements vs laser geometry
 - Losses vs geometry an issue

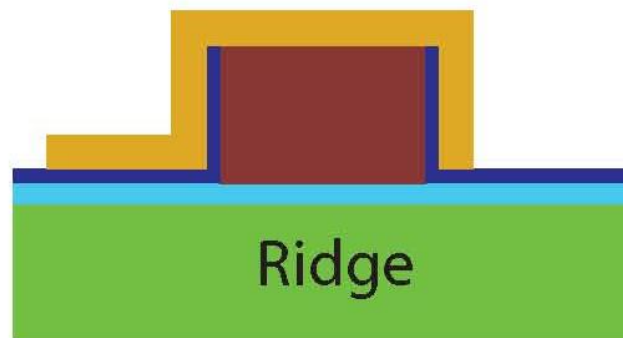
Values for common materials

- GaAs – $v_s = 4-6 \cdot 10^5$ cm/s
- InGaAs – $v_s = 1-2 \cdot 10^5$ cm/s
- InP – $v_s = <10^4$ cm/s
- Estimate on the right
 - Double VCSEL threshold for 10 μ m pillar
- Small VCSELs of interest
 - Option I – don't etch through active
 - Option II - passivate



Lateral outdiffusion

- No surface recombination
- Still, carriers escape through diffusion
- Ambipolar diffusion of carriers equivalent to surface recombination



$$v_{sD} \equiv \frac{D_{np}}{L_{np}} = \sqrt{\frac{D_{np}}{\tau_{np}}} = 1 \times 10^5 \text{ cm/s} \cdot \left[\frac{D_{np}}{20 \text{ cm}^2/\text{s}} \frac{2 \mu\text{m}}{L_{np}} \right]$$

- [Example](#)

Solutions

