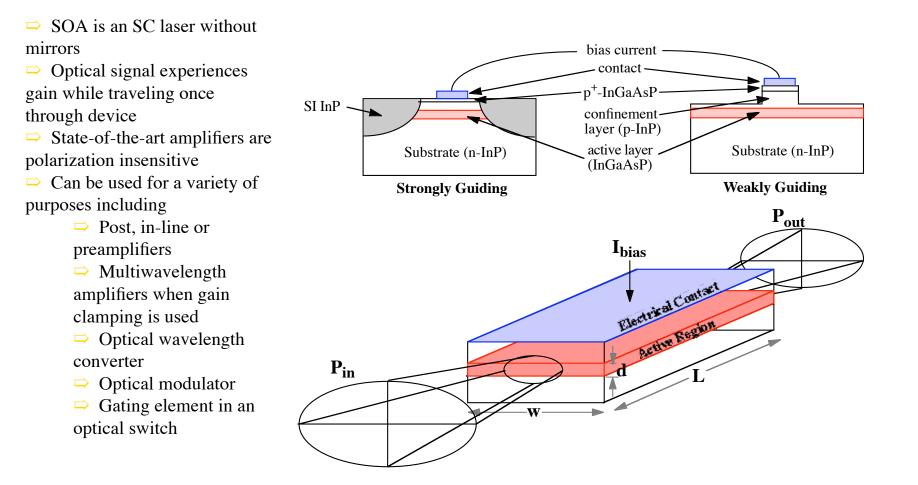


Lecture 10: Semiconductor Optical Amplifiers

Semiconductor Optical Amplifiers

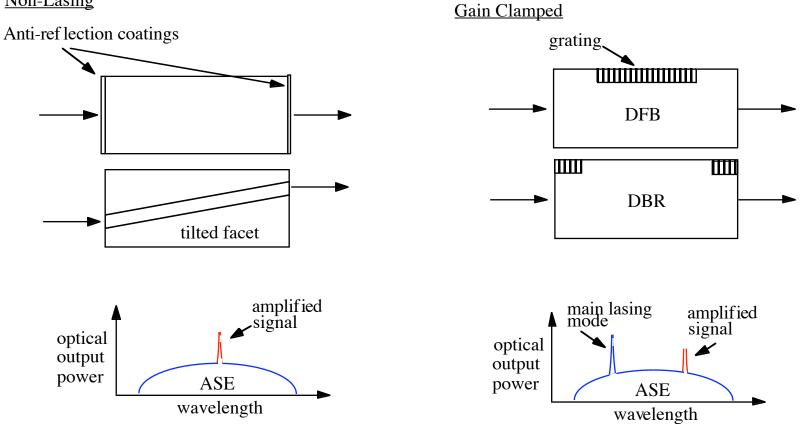
- ⇒ Active waveguides fabricated in semiconductor waveguides
- ⇒ Gain usually achieved by electronic current injection
- ⇒ Can be integrated with other device structures
- ⇒ Gain is related to SC bandgap (1.55 and 1.3 micron wavebands)
- \Rightarrow Relatively broad bandwidth (30 100nm)
- \Rightarrow Fast carrier dynamics (can be advantage or disadvantage)
- ⇒ Polarization dependence is an important issues as is linear vs. non-linear operation

Semiconductor Optical Amplifiers (SOAs)

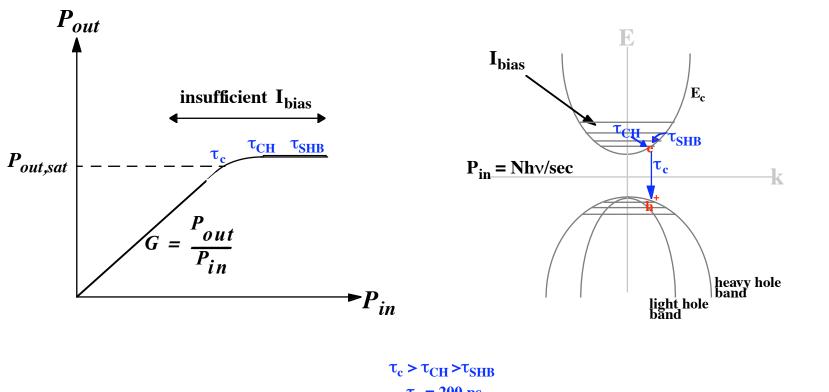


SOA Classes

Non-Lasing



Linear and Non-Linear Gain



 $\tau_{c} = 200 \text{ ps}$ $\tau_{CH} = 650 \text{ fs}$ $\tau_{SHB} = 50 \text{ fs}$

SOA as an amplifier

- Linear amplification only to avoid pattern effects (described later in this lecture)
- SOAs have high gain, so making a linear amplifier is quite difficult, there are several approaches that are used
 - \Rightarrow Physically tapered structure to reduce the intensity as the power increases
 - ⇒ Use a very fast carrier lifetime material like a quantum dot SOA
- ⇒ In the end, in this regime we want to avoid the amplifier being saturated anywhere inside the amplifier

Time Averaged Gain

 \Rightarrow For an unsaturated amplifier

$$g(\omega) = \frac{g_0}{1 + (\omega - \omega_0)^2 T_2^2 + \frac{P}{P_s}}$$

 \Rightarrow Can be approximated by

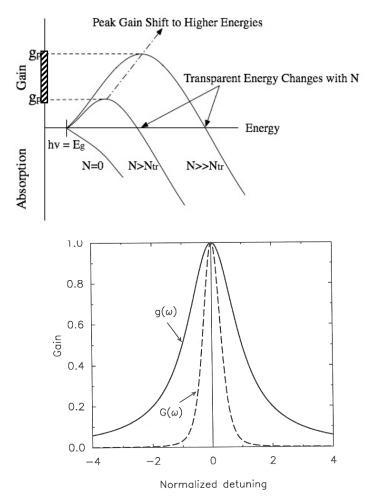
$$g(\omega) = \frac{g_0}{1 + (\omega - \omega_0)^2 T_2^2}$$

⇒ We can define the amplifier material bandwidth as

$$\Delta v_g = \frac{1}{\pi T_2}$$

⇒ And the amplifier bandwidth using G(ω) = exp[g(ω)L]over the length L (treating as lumped)

$$\Delta v_A = \Delta v_g \left(\frac{\ln 2}{g_0 L - \ln 2} \right)$$



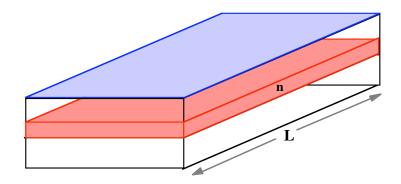
Lecture 10, Slide 7

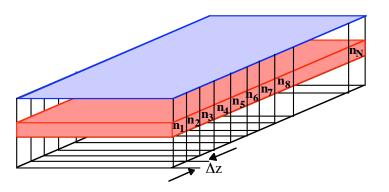
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Lumped vs. Distributed Models

\Rightarrow Lumped

- ⇒ Carrier density averaged over amplifier length
- ⇒ Analytic expressions obtainable
- \Rightarrow n(λ ,t) is independent of z
- ⇒ Analytic expression do not predicted behavior that depends on z varying n.
- ⇒ Distributed
 - ⇒ Amplifier discretized into N sections, each of length Δz with $n_i(\lambda,t)$ averaged over Δz .
 - ⇒ Analytic expressions difficult
 - ⇒ Requires numerical modeling
 - \Rightarrow n(λ ,t, z)
 - \Rightarrow Predicts z dependent behavior
 - ⇒ Frequency response
 - \Rightarrow Wavelength dependent gain





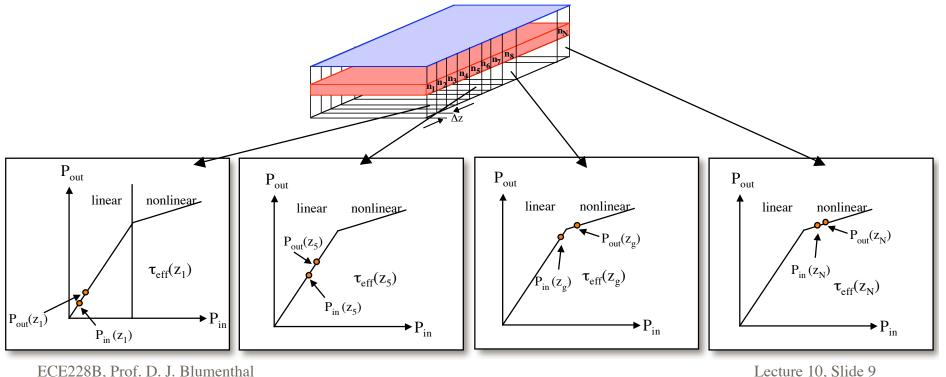
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Lecture 10, Slide 8

z-Dependence of Carrier Lifetime and Gain Saturation

- Both the carrier lifetime (effective) and the optical signal power relative to gain \Rightarrow saturation can change as a function of z!
- Define an effective time constant \Rightarrow

$$\frac{1}{\tau_{eff}(\lambda, z)} = \frac{1}{\tau_{C}(\lambda, z)} + \sum_{i=1}^{N} \frac{1}{\tau_{i}(\lambda, z)}$$



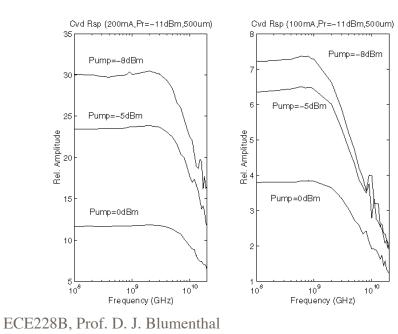
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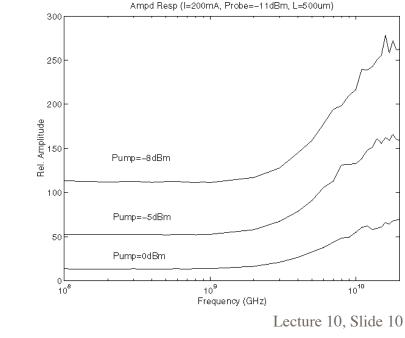
Small Signal Frequency Response

 \Rightarrow Depends on evolution of t_{eff} as signal propagates through amplifier

- \Rightarrow Depends on time average photon density at location z
- \Rightarrow Depends on amplifier P_{sat}
- ⇒ Depends on input power and wavelength
- \Rightarrow Depends gain profile at each section

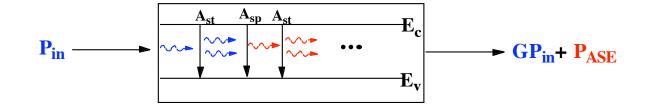
At output, linear operation only





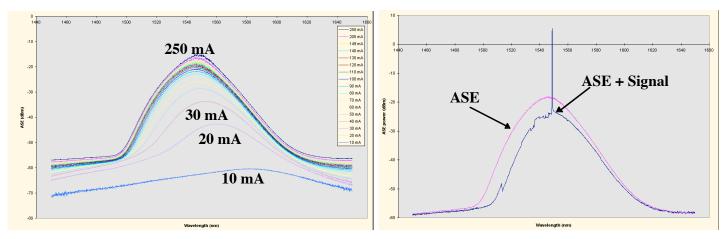
At output, nonlinear operation

Amplified Spontaneous Emission (ASE)



ASE Power Spectrum at Various Bias Currents

SOA Power Spectrum with and without signal $(I_{bias} = 150 \text{mA})$



Amplifier Noise

 \Rightarrow Noise figure is defined as

$$F_n = \frac{(SNR)_{in}}{(SNR)_{out}}$$

 \Rightarrow Assuming the amplifier output is G times the input power, the SNR at the input is given by

$$(SNR)_{in} = \frac{(RP_{in})^2}{2q(RP_{in})\Delta f}$$

 \Rightarrow At the amplifier output, assuming white additive noise

$$S_{SP}(v) = (G-1)n_{sp}hv$$

 \Rightarrow Output SNR can be written as

$$\left(SNR\right)_{out} = \frac{\left(RGP_{in}\right)^2}{2q(RP_{in})\Delta f + 4(RGP_{in})(RS_{SP})\Delta f} \approx \frac{\left(GP_{in}\right)}{4(S_{SP})\Delta f}$$

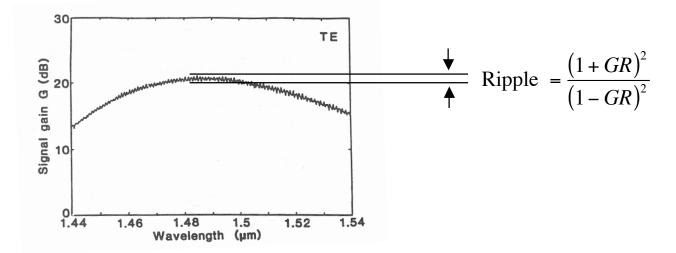
 \Rightarrow And the noise figure as (for large G)

$$F_n = \frac{2n_{sp}(G-1)}{G} \approx 2n_{sp}$$

Lecture 10, Slide 12

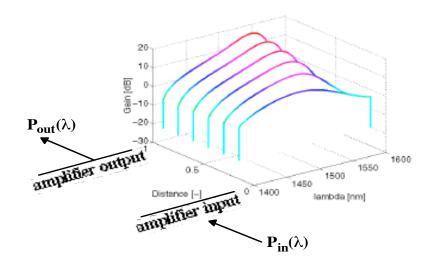
Gain Ripple

⇒ We define the flatness of the gain over the gain bandwidth as (chip gain G and facet reflectivity R)

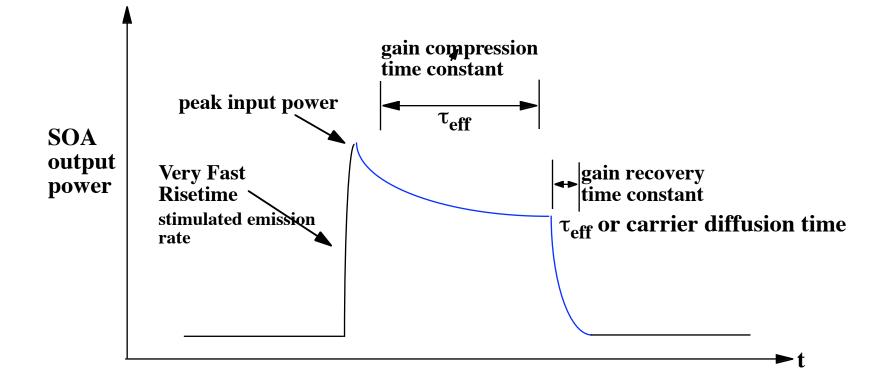


Cumulative Distributed Gain

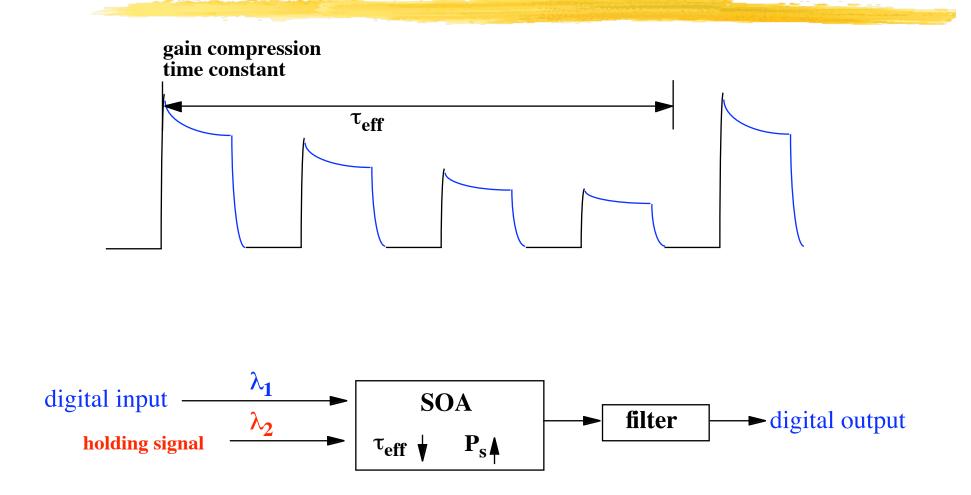
- Total gain-wavelength dependence is function of
 - \Rightarrow Input power and wavelength
 - ⇒ Amplifier saturation power as a function of wavelength
 - \Rightarrow Amplifier bias
 - ⇒ Amplifeir design parameters (geometrical and physical)



Gain Compression and Recovery



Pattern Dependent Gain



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Crosstalk

- ⇒ Intersymbol interference due to finite gain recovery at high bit rates
- ⇒ Intermodulation distortion in a multichannel WDM or OFDM transmission system due to FWM products.
- ⇒ Intersymbol interference in a multichannel OFDM transmission system due to SPM or CPM.