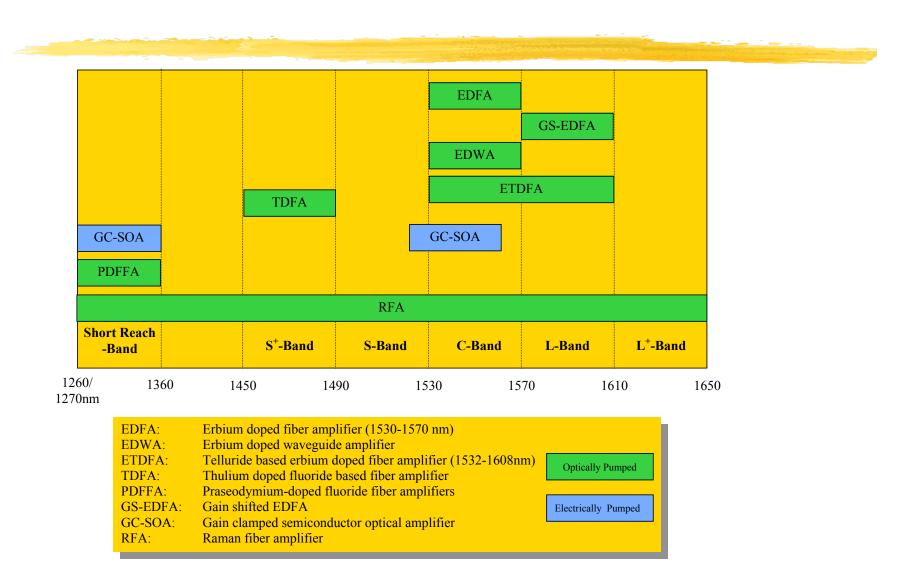


# Lecture 8: Intro to Optical Amplifiers

## 1R Optical Regeneration

- ⇒ Analog amplification
- ⇒ Faithfully reproduces input signal with minimal distortion
- ⇒ Can be used as a linear repeater by periodically boosting optical power
- ⇒ Can be used in nonlinear region as a level clamping amplifier
- ⇒ Single amplifier can be used as a multichannel amplifier, ideally with minimal crosstalk and distortion

## Waveband Operation



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Lecture 8, Slide 3

# OA Figures of Merit and Design Parameters

Figure of Merit	Design Parameter	Impact	
Unsaturated Gain (G <sub>0</sub> )	Pump Power	•	Sets the number of photons available for gain, increase in $G_0$ with increased pump power but
	Erbium Doped Fiber Length	•	reaches an asymptope Increased G <sub>0</sub> with increased length for moderate pump power
Gain Flatness	Operation in Saturation	•	Higher F <sub>n</sub> at shorter wavelengths Gain sensitivity to channel add/drop
	Erbium Doped Fiber Length	•	Optimal length for pump and signal powers
Noise Figure (F <sub>n</sub> )	Co-Propagating pump	•	Lower F <sub>n</sub> than counter-Propagating
	Counter-Propagating Pump	•	Higher F <sub>n</sub> than co-Propagating
	Erbium Doped Fiber Length	•	$F_n$ increases with increase in fiber length
	Pump Power	•	F <sub>n</sub> decreases with increase in pump power
Maximum	Erbium Doped Fiber	•	
amplifier output	Length		
power (P <sub>out,max</sub> )	Pump Power	•	Pout,max increases with increased pump power

## 1R Optical Regeneration

 $\Rightarrow$  1R = Optical Analog amplification, without reshaping or retiming

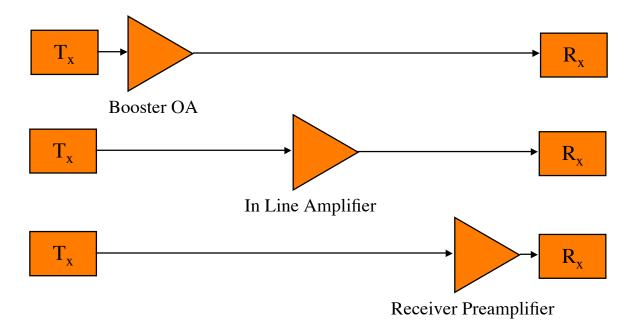
$$E_{out}(t) = G \cdot E_{in}(t) + n(t)$$
Amplifier optical Gain
Amplifier emitted
optical noise

- ⇒ Faithfully reproduces input signal with minimal distortion
- ⇒ Can be used as a linear repeater by periodically boosting optical power
- ⇒ Can be used in nonlinear region as a level clamping amplifier
- ⇒ Available solutions
  - ⇒ Erbium Doped Fiber Amplifiers (EDFA)
  - ⇒ Semiconductor Optical Amplifiers (SOA)

## **Optical Amplifiers**

#### $\Rightarrow$ Three classes

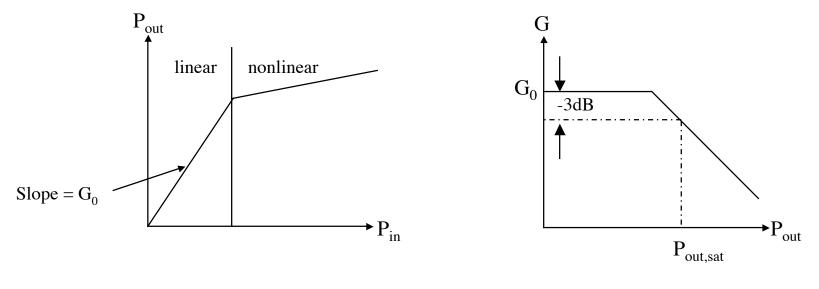
- $\Rightarrow$  Booster (power) amplifiers: Boost power into transmission fiber, low NF, high P<sub>sat</sub>.
- $\Rightarrow$  In-line amplifiers: Periodically amplify signal due to fiber attenuation, high G, high P<sub>sat</sub>.
- ⇒ Receiver preamplifiers: Boost power into receiver, low NF, high G.



### **Optical Amplifiers Gain Characteristics**

**Define:** Unsaturated amplifier gain  $G_0$  as the gain achieved at low signal levels and in the linear amplifier regime .

Define: Output saturation power as the output power needed to decrease the amplifier gain by a factor of 2.



Region I: Linear Region II: Nonlinear (Saturated)

$$G_0 = \frac{P_{out}}{P_{in}} \qquad \qquad G = G_0 \exp\left(-\frac{G-1}{G}\frac{P_{out}}{P_S}\right)$$

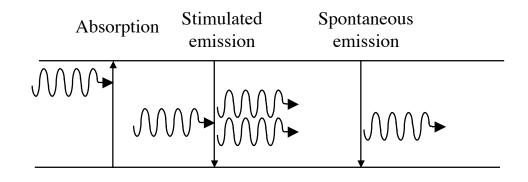
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Lecture 8, Slide 7

## **Optical Amplifier Physics**

#### $\Rightarrow$ An atomic system with two energy levels can

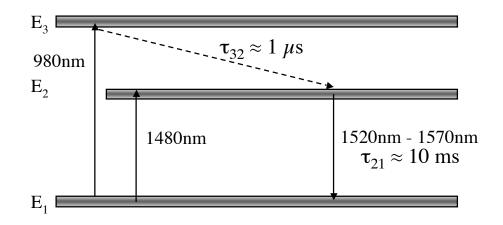
- ⇒ absorb light
- ⇒ amplify light
- $\Rightarrow$  spontaneously emit light



Stimulated and spontaneous emission are achieved by pumping the amplifier electrically or optically

## Erbium Doped Fiber Amplifier (EDFAs)

**Energy levels for Er+ ions in silica glass** 



Two pumping options:

- <u>980 nm pump</u>: Complete population inversion -> Low noise figure
- <u>1480 nm pump</u>: Low population inversion -> high quantum efficiency in converting pump photons to signal photons

#### EDFA Gain Spectrum

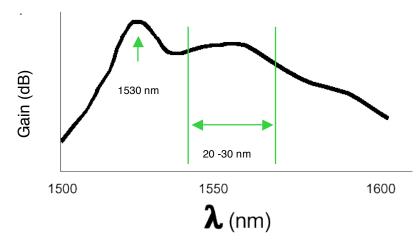
⇒ The gain coefficient for a single atomic transition in the unsaturated regime is given by the peak gain  $g_0$  and the dipole relaxation time  $T_2$  as

$$g(\omega) = \frac{g_0}{1 + (\omega - \omega_0)^2 T_2^2}$$

⇒ Averaging the gain over the distribution of atomic transition frequencies yields the effective gain

$$g_{eff}(\omega) = \int_{-\infty}^{\infty} g(\omega, \omega_0) f(\omega_0) d\omega_0$$

 $\Rightarrow$  An illustration of the effective gain is given below. Note the presence of a gain peak around 1530nm and a semi-flat gain region with optical bandwidth 20-30nm.



#### **EDFA** Theory Basics

⇒ Using a simple two-level model for the EDFA assumes that ASE and excited-state absorption are negligible. Also, this model assumes the top excited energy level empties instantly (negligible excited state lifetime).

⇒The population densities of states  $E_1$  and  $E_2$  are given by  $N_1$  and  $N_2$ , with the cross section emission and absorption  $\sigma_p^a, \sigma_p^e, \sigma_s^a, \sigma_s^e$  for the pump and signal photon flux  $\phi_p$  and  $\phi_s$ .  $T_1$  is about 10ms for EDFAs.

$$\frac{\partial N_2}{\partial t} = \left(\sigma_p^a N_1 - \sigma_p^e N_2\right)\phi_p + \left(\sigma_s^a N_1 - \sigma_s^e N_2\right)\phi_s - \frac{N_2}{T_1}\frac{\delta y}{\delta x}$$
$$\frac{\partial N_1}{\partial t} = \left(\sigma_p^e N_2 - \sigma_p^a N_1\right)\phi_p + \left(\sigma_s^e N_2 - \sigma_s^a N_1\right)\phi_s + \frac{N_2}{T_1}$$

⇒ If we ignore ASE, the evolution of the pump and signal powers along the fiber in direction z can be approximated by taking into account the fiber loss at signal and pump wavelengths ( $\alpha$ ,  $\alpha$ ')

$$\frac{\partial P_s}{\partial z} = \Gamma_s \left( \sigma_s^e N_2 - \sigma_s^a N_1 \right) P_s - \alpha P_s$$
  
$$\pm \frac{\partial P_p}{\partial z} = \Gamma_p \left( \sigma_p^e N_2 - \sigma_p^a N_1 \right) P_p - \alpha' P_p$$

#### **EDFA** Theory Basics

⇒ For short amplifiers (10-20m), optical loss can be ignored ( $\alpha = \alpha' = 0$ ). Let  $N_1 + N_2 = N_{total}$ , and  $a_d$  be the cross-sectional area of the doped portion of the fiber core. The steady state solution for the rate equations reduces to

$$N_{2}(z) = -\frac{T_{1}}{a_{d}hv_{s}}\frac{\delta P_{s}}{\delta z} \pm \frac{T_{1}}{a_{d}hv_{p}}\frac{\delta P_{p}}{\delta z}$$
$$a_{d} = \Gamma_{s}a_{s} = \Gamma_{p}a_{p}$$

 $\Rightarrow$  Substituting this equation into the power evolution equations and integrating over the length of fiber, the gain can be computed by taking the ratio of output to input power

$$G = \Gamma_s \exp\left[\int_0^L \sigma_s^e N_2 - \sigma_s^a N_1 dz\right]$$

#### **EDFA Basics**

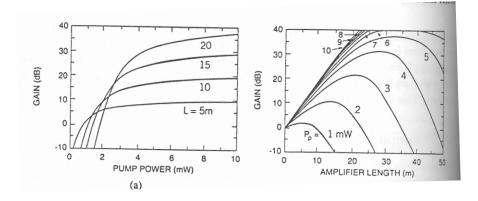
 $\Rightarrow$  From the figure below we observe that

 $\Rightarrow$  For a given amplifier length the gain initially increases with pump power then saturates

 $\Rightarrow$  For a given pump power, the amplifier gain becomes maximum at optimum

L, then rolls off sharply as the pump photons have all been absorbed.

 $\Rightarrow$  Both L and P<sub>p</sub> must be optimized for a particular amplifier design.



## EDFA pumps

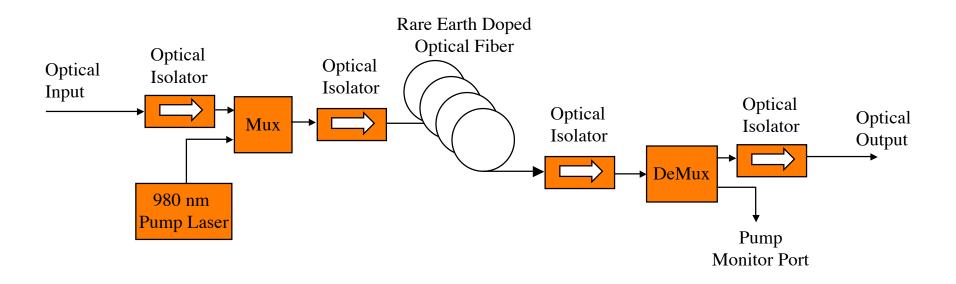
- ⇒ 1480 nm pumping: it was the choice for most of the first commercial solutions
  - ⇒ Mainly due to the fact that 1480 nm laser were more resilient and commercially available at high output power (which is usually in the order of 200-400 mW)
  - ⇒ Generally less expensive
  - ⇒ From a pure transmission point of view, they have low performance in terms of noise figure (see later)
- $\Rightarrow$  980 nm pumping:
  - ⇒ Today laser technology has reach a high reliability even at 980 nm
  - ⇒ Most current commercial EDFAs use this solution, sometimes together with 1480 nm

## **Typical Pump Source Characteristics**

Performance parameter/wavelength	980 nm	1480 nm
Minimum noise figure	<4 dB	5.5 dB
Optical conversion power efficiency	35%	50%
Diode laser quantum efficiency	0.92 W/A @ 240 mW	0.36 W/A @ 200 mW
Module wall-plug efficiency	39% W/W	13% W/W
1999 rated module power	200 mW	180 mW
State-of-the-art module reliability	110 FIT	65 FIT
Mean time to failure	>2×10 <sup>6</sup> hours @ 150 mW	>5×10 <sup>6</sup> hours @ 120 mW
-3dB Er absorption band in silica	976 to 984 nm	> ~1450 nm

## Rare Earth Fiber Amplifiers

Rare Earth Doped Fiber Amplifier: Single pump, single stage geometry



### **EDFA** Characteristics

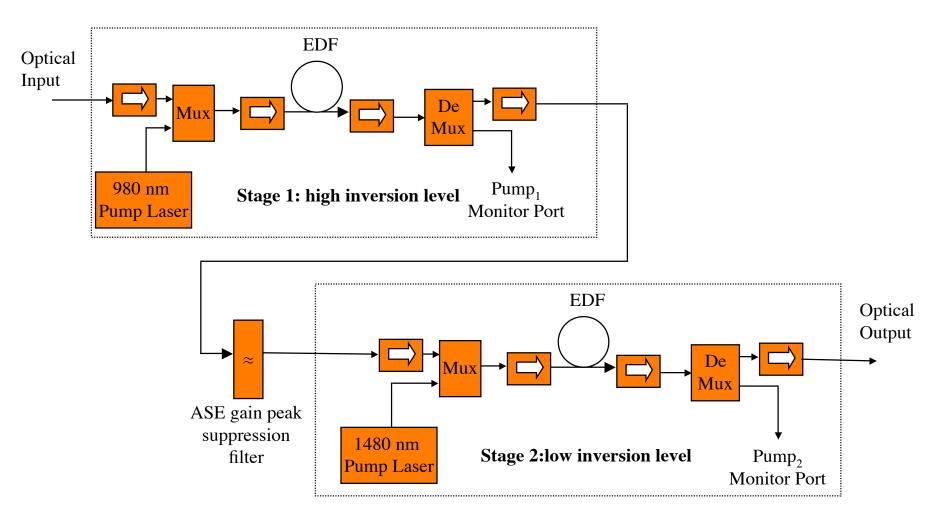
#### $\Rightarrow$ Gain:

- $\Rightarrow$  Higher gain requires high
- $\Rightarrow$  High Output Power:
  - $\Rightarrow$  Requires high P<sub>out sat</sub> which requires high optical pump power and high inversion

#### $\Rightarrow$ Gain Flatness

- $\Rightarrow$  Is a function of inversion level.
- $\Rightarrow$  Typically 40%-60% inversion leads to broadest gain with lowest ripple
- ⇒ Gain Bandwidth:
  - $\Rightarrow$  Can be enhanced using optical filtering and composite gain media
- $\Rightarrow$  Noise Figure:
  - $\Rightarrow$  High population inversion level
- ⇒ Transient Behavior:
  - $\Rightarrow$  Can be suppressed using optical gain clamping or dynamic gain control feedback

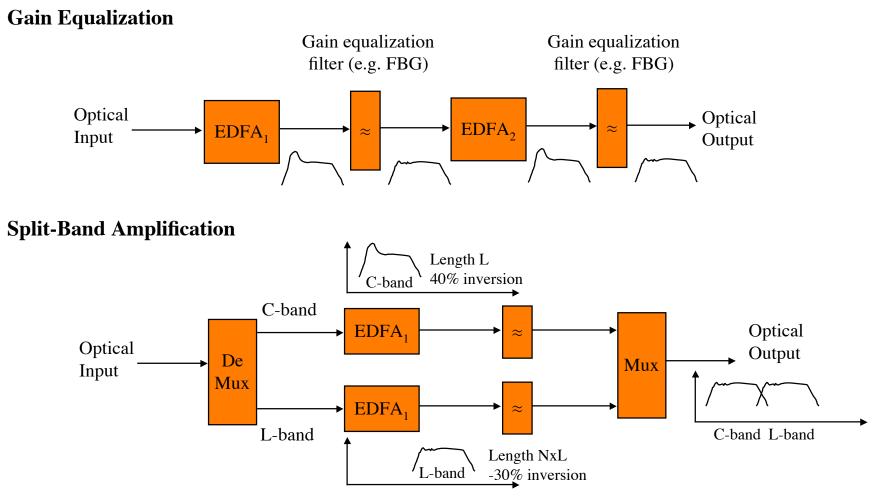
### Two-Stage EDFA Optical Amplifier



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Lecture 8, Slide 18

### Wideband EDFAs



## ASE noise in EDFA

 $\Rightarrow$  The output ASE noise is:

$$P_{ASE}^{out} \cong 2n_{sp}h\nu(G-1)\Delta B$$

 $\Rightarrow$  where:

- $\Rightarrow$   $n_{sp} = (N_2 N_1)/N_2$  is the spontaneous emission factor, mainly dependent on the degree of inversion
- $\Rightarrow h$  is the Plank constant
- $\Rightarrow v$  is the central optical frequency
- $\Rightarrow$  G is the EDFA gain
- $\Rightarrow \Delta B$  is the bandwidth over which the noise is measured
- $\Rightarrow$  The <u>noise figure</u> of the EDFA is defined as:  $F = 2n_{sn}$
- $\Rightarrow$  The optimal value for an EDFA is *F*=3 dB
  - $\Rightarrow$  Typical values are from 4 to 5 dB

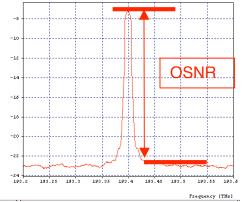
## ASE noise in EDFA -II

 $\Rightarrow$  The output ASE noise on a 0.1 nm bandwidth is approx. given by:

$$P_{ASE}^{out} \cong -58dBm + F_{EDFA} + G_{EDFA}$$

- ⇒ The ASE noise is one of the factor that sets the ultimate limits of optically amplified systems
  - ⇒ The optical signal-to-noise ratio (OSNR) cannot go below a given level to have acceptable BER at the receiver
  - $\Rightarrow$  Given an input signal power  $P_{in}$

$$OSNR\Big|_{dB} \cong P_{signal}^{in} + 58dBm - F_{EDFA}$$



Lecture 8, Slide 21

### **EDFA** features

- ⇒ In a WDM environment, the crosstalk among channels generated by EDFA is very low
  - $\Rightarrow$  This is one of the main reason for the EDFA success
  - $\Rightarrow$  Physically, this is related to the (slow, ms) time constant of the saturation process in EDFA
    - $\Rightarrow$  A comb of tens of channels can be amplified by a single EDFA with negligible crosstalk
- Still, in some important situation, transient effects in EDFA may be  $\Rightarrow$ relevant

