

Due Wednesday, April 11, in class.

- 9.18** Calculate the SQNR for a full-load sinusoid in segment 1 of the characteristic in Table 9.6.1. Assume that the quantization noise is uniformly distributed.
- 9.19** For a full-load sinusoid for the characteristic in Table 9.6.1 (a peak value of 8159), calculate the fraction of time that the amplitude of this sinusoid falls within each segment in the table.
- 9.20** An approximate value of the SQNR of the characteristic in Table 9.6.1 can be obtained from Eq. (9.2.3) with

$$D = \sum_{i=1}^8 p_i \frac{\Delta_i^2}{12},$$

where p_i is the probability of the input amplitude falling within segment i and Δ_i is the step size for the i th segment. Use the results of Problem 9.19 to calculate SQNR for the characteristic in Table 9.6.1 with a full-load sinusoid input [Bellamy, 1982].

- 9.21** Using the SQNR values and input amplitudes from Problems 9.18 and 9.20, show that the coder maintains an SQNR of greater than 30 dB for a range of input powers of 48.4 dB. This quantity is called the *coder dynamic range*. Note that this value is approximately the same as

$$20 \log_{10} \frac{\Delta_{\max}}{\Delta_{\min}} = 20 \log_{10} (1 + \mu).$$

TABLE 9.6.1 Quantizer Characteristic and Code Assignment for D2, D3, and D4 Channel Bank Codecs^a

Input Amplitude Range:	Step Size:	Polarity Bit:	Quantization Segment Code:	Quantizer Step Code:	Output Value:
0–1	1	1	111	1111	0
1–3	2	1	111	1110	2
3–5				1101	4
⋮				⋮	⋮
29–31				0000	30
31–35	4	1	110	1111	33
⋮				⋮	⋮
91–95				0000	93
95–103	8	1	101	1111	99
⋮				⋮	⋮
215–223				0000	219
223–239	16	1	100	1111	231
⋮				⋮	⋮
463–479				0000	471
479–511	32	1	011	1111	495
⋮				⋮	⋮
959–991				0000	975
991–1055	64	1	010	1111	1023
⋮				⋮	⋮
1951–2015				0000	1983
2015–2143	128	1	001	1111	2079
⋮				⋮	⋮
3935–4063				0000	3999
4063–4319	256	1	000	1111	4191
⋮				⋮	⋮
7903–8159				0000	8031

^a Positive inputs only; assumed symmetric about zero.