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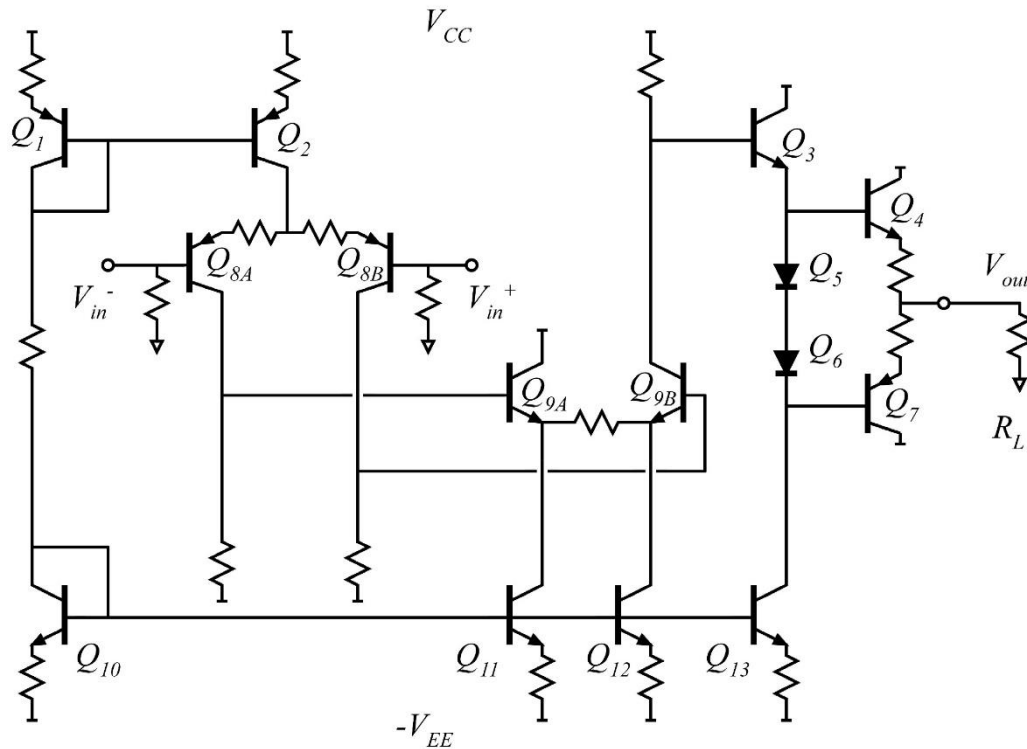
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# ECE137A, Notes Set 10: Multi-stage example: Analog audio power amplifier

These notes should give you some ideas  
on how to approach the second lab assignment

***Mark Rodwell,  
Doluca Family Chair, ECE Department  
University of California, Santa Barbara  
rodwell@ece.ucsb.edu***

# Audio power amplifier example



$Q_5$  is a diode-connected transistor, and is matched to  $Q_4$ .

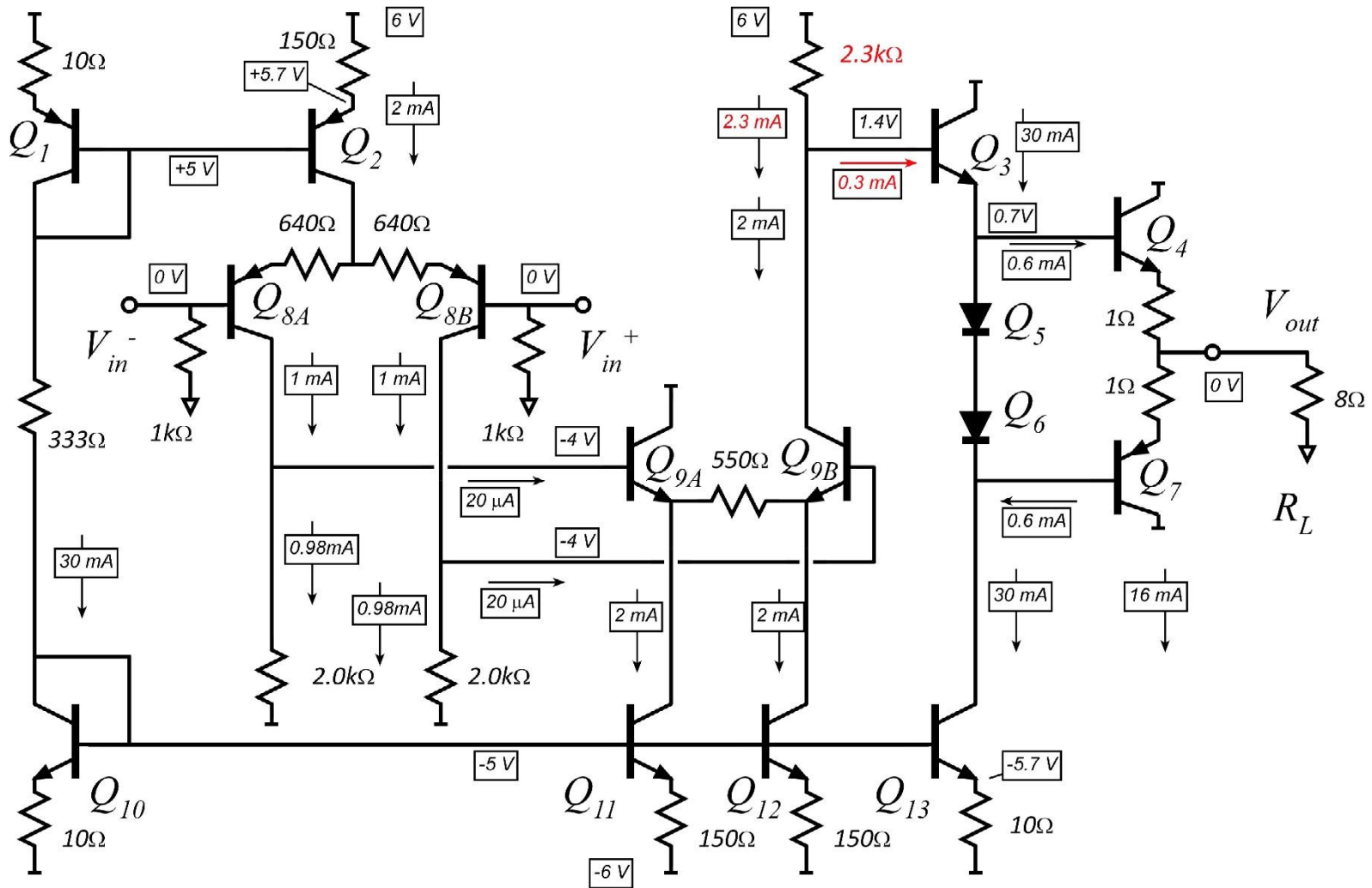
$Q_6$  is a diode-connected transistor, and is matched to  $Q_7$ .

$Q_{4,5,6,7} : \beta_{\min} = 25, V_A = 100\text{V}.$

All other transistors:  $\beta_{\min} = 100, V_A = 100\text{V}$

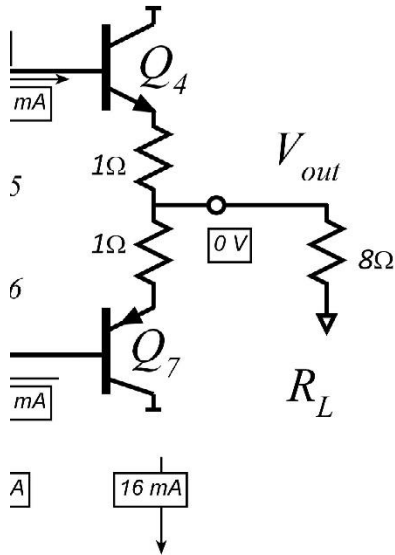
Let us set up DC bias

# DC bias



Having picked the DC node voltages and DC bias currents,  
 here are the calculated resistor values... look at previous notes for how to do this.

# Small-signal analysis: Q4/Q7



$Q_4$  and  $Q_7$  are a push-pull stage.

Hand analysis is inherently inaccurate:

over the signal swing, transistor currents vary greatly

$g_m$  and other parameters vary greatly.

effect is real: signal distortion.

Approximate: assume that either  $Q_4$  is  $Q_7$  off. Here, let's pick  $Q_4$  on.

Approximate: use  $g_m$  calculated at large output voltage.

At  $V_{out} = 3V$ ,  $I_{out} = 3V/8\Omega = 0.375A$ .  $1/g_m = 26mV/0.375A = 0.07\Omega$

$Q_4$ : emitter follower.

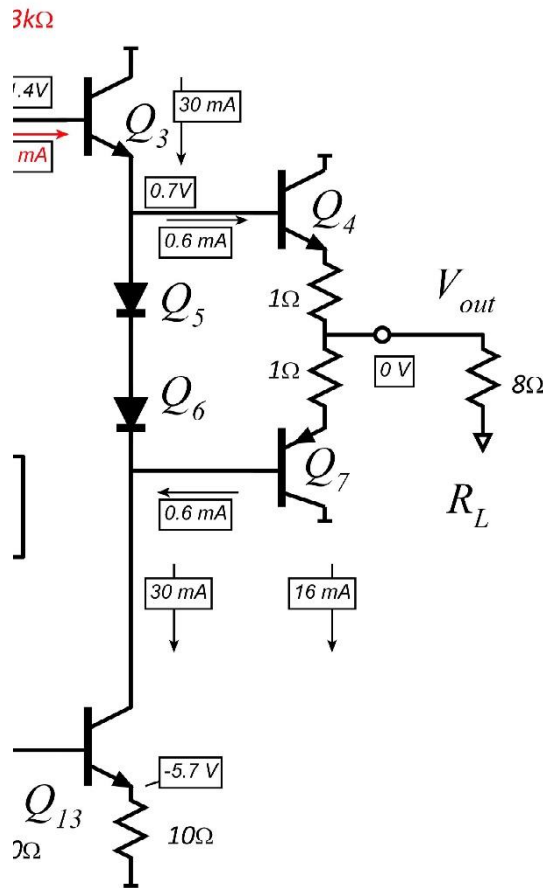
$$R_{Leq} = 9\Omega$$

$$A_V = R_{Leq} / (R_{Leq} + 1/g_m) = 9\Omega / 9.07\Omega$$

$$R_{in4} = \beta(R_{Leq} + 1/g_m) \geq 25(9.07\Omega) = 227\Omega.$$

Including effect of  $1\Omega$  resistors:  $A_V = (8\Omega / 9\Omega)(9\Omega / 9.07\Omega) = 0.88$

# Small-signal analysis: Q3



$Q_3$  : emitter follower.

$$R_{Leq3} = R_{in4} \parallel R_{CE3} \parallel R_{out13} \parallel R_{in7} \cong R_{in4} = 227\Omega$$

(  $R_{out13}$  is very large, and we've assumed  $Q_7$  is off)

$$1/g_{m3} = 26\text{mV}/30\text{mA} = 0.866\Omega$$

$$A_V = R_{Leq} / (R_{Leq} + 1/g_m) = 227\Omega / 227.9\Omega = 0.996$$

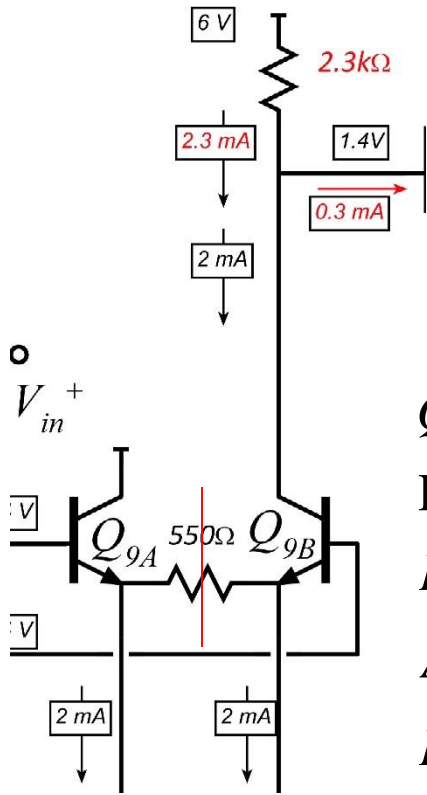
$$R_{in3} = \beta(R_{Leq} + 1/g_m) \geq 100(228\Omega) = 22.9\text{k}\Omega.$$

# Small-signal analysis: Q9A/Q9B

This is a differential pair.

Only one output used  $\rightarrow$  factor of 1/2 is present

Half-circuit:  $550\Omega/2=275\Omega$  degeneration.



$Q_{9B}$ : Common-emitter with degeneration.

Part of differential pair.

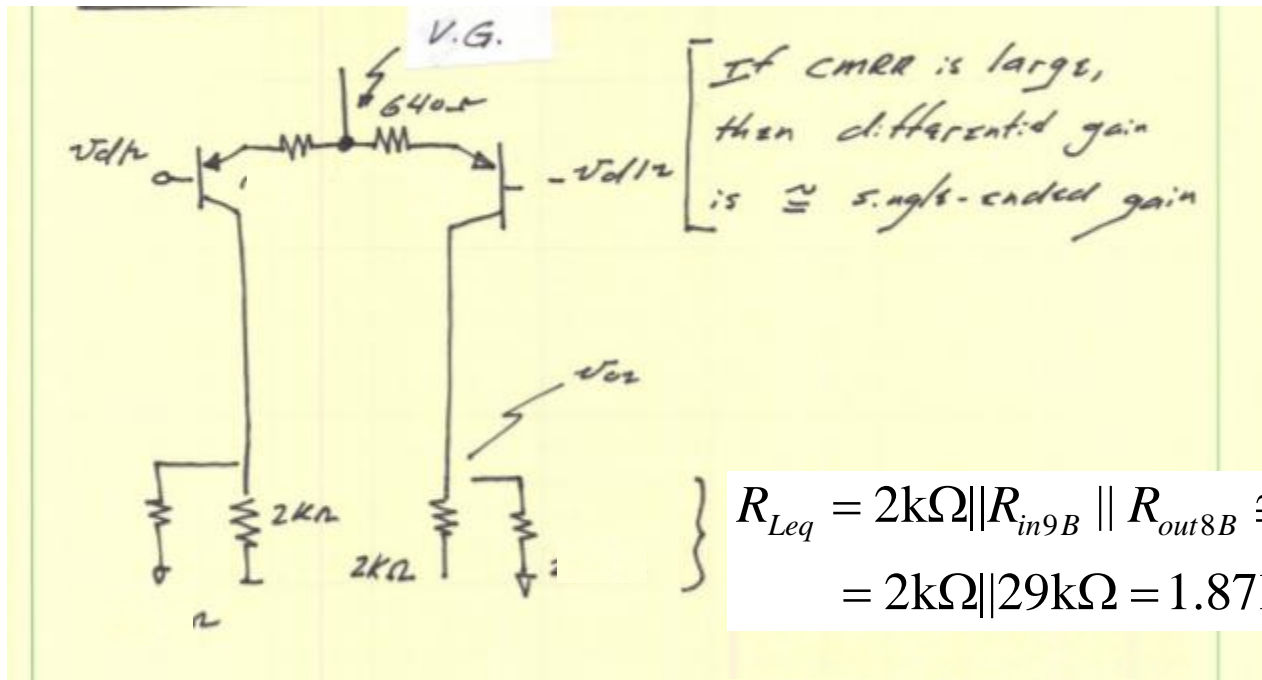
$$R_{Leq} = 2.3k\Omega \parallel R_{in3} \parallel R_{out9B} \cong 2.3k\Omega \parallel R_{in3} = 2.3k\Omega \parallel 23k\Omega = 2.09k\Omega$$

$$A_{vdiff} = R_{Leq} / 2(1/g_{m9B} + 275\Omega) = 2.09k\Omega / 2(13\Omega + 275\Omega) = 3.63$$

$$R_{in9B} = \beta(13\Omega + 275\Omega) \geq 100(288\Omega) = 28.8k\Omega$$

Note that this is the half-circuit input impedance

# Small-signal analysis: Q8A/Q8B



$Q_{9B}$ : Common-emitter with degeneration.

Part of differential pair, but both outputs are used

$$A_{vdiff} = R_{Leq} / (1/g_{m9B} + 640\Omega) = 1.87\text{k}\Omega / (26\Omega + 640\Omega) = 2.89$$

$$R_{in8B} = \beta(26\Omega + 640\Omega) \geq 100(666\Omega) = 66.6\text{k}\Omega$$

$$R_{in,Amp} = 66.6\text{k}\Omega \parallel 1\text{k}\Omega = 985\Omega$$

$$\text{Overall gain: } A_v = 0.88 \cdot 0.966 \cdot 3.63 \cdot 2.89 = 8.91.$$

(design target was 10; need to adjust degeneration resistors)

# Maximum Signal Swings

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*many are possible - you must check cutoff & saturation of all devices.*

Dominant are:

Saturation of  $Q_4$  and  $Q_7$ .

Saturation and cutoff of  $Q_3$ .

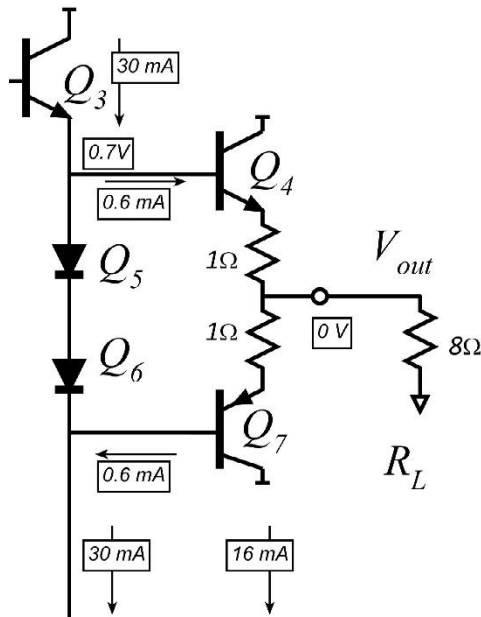
Saturation of  $Q_{13}$ .

Saturation and cutoff of  $Q_{9B}$ .

Cutoff of  $Q_{9A}$ .



# Q4 and Q7 saturation



The maximum positive voltage at the emitter of Q4 is  $(V_{CC} - V_{CE,sat})$ .

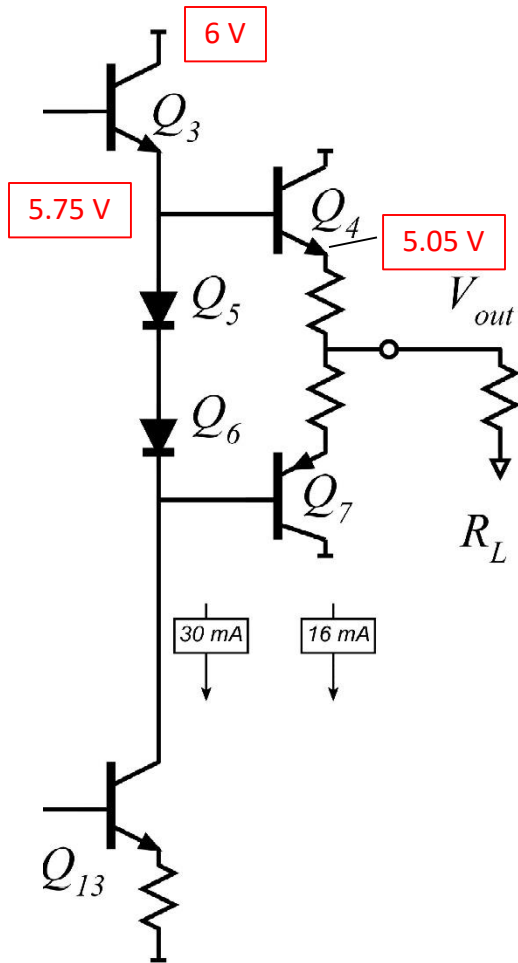
The corresponding output voltage is  $8/9$  of this.

If  $V_{CE,sat} = 0.25\text{V}$ , then the maximum output is  $(8/9)(5.75\text{V}) = 5.1\text{V}$ .

→ Maximum 5.1V positive swing due to Q4 saturation.

Q7 saturation similarly limits us to -5.1V negative swing

# Q3 saturation



The maximum positive voltage at the emitter of  $Q_3$ :

$$(V_{CC} - V_{CE,sat}) = 6\text{V} - 0.25\text{V} = 5.75\text{V}.$$

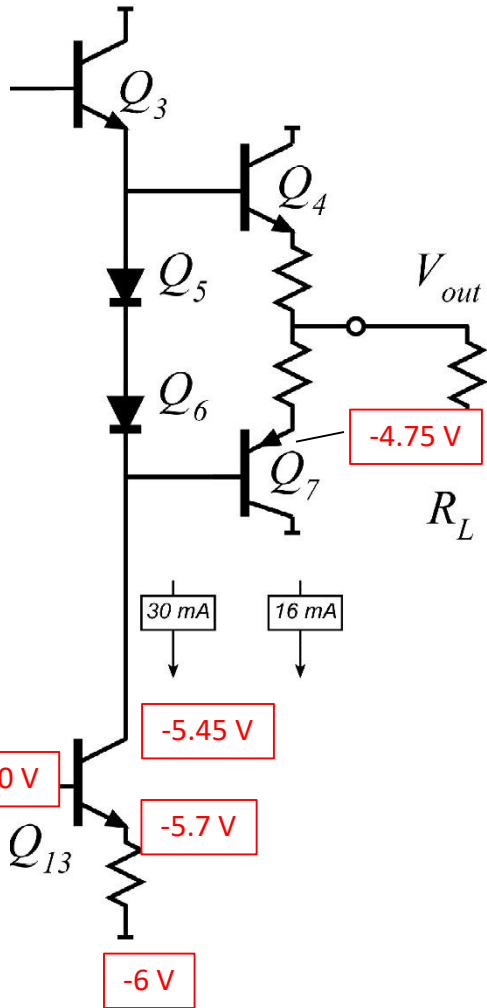
$$Q_4 \text{ emitter voltage} = 5.75\text{V} - 0.7\text{V} = 5.05\text{V}$$

The corresponding output voltage is  $8/9$  of this.

$$(8/9)(5.05\text{V}) = 4.48\text{V}.$$

→ Maximum  $4.5\text{V}$  positive swing due to  $Q_3$  saturation.

# Q13 saturation



The maximum negative voltage at the collector of  $Q_{13}$ :

$$(-V_{E,Q} + V_{CE,sat}) = -5.7\text{V} - 0.25\text{V} = -5.45\text{V}.$$

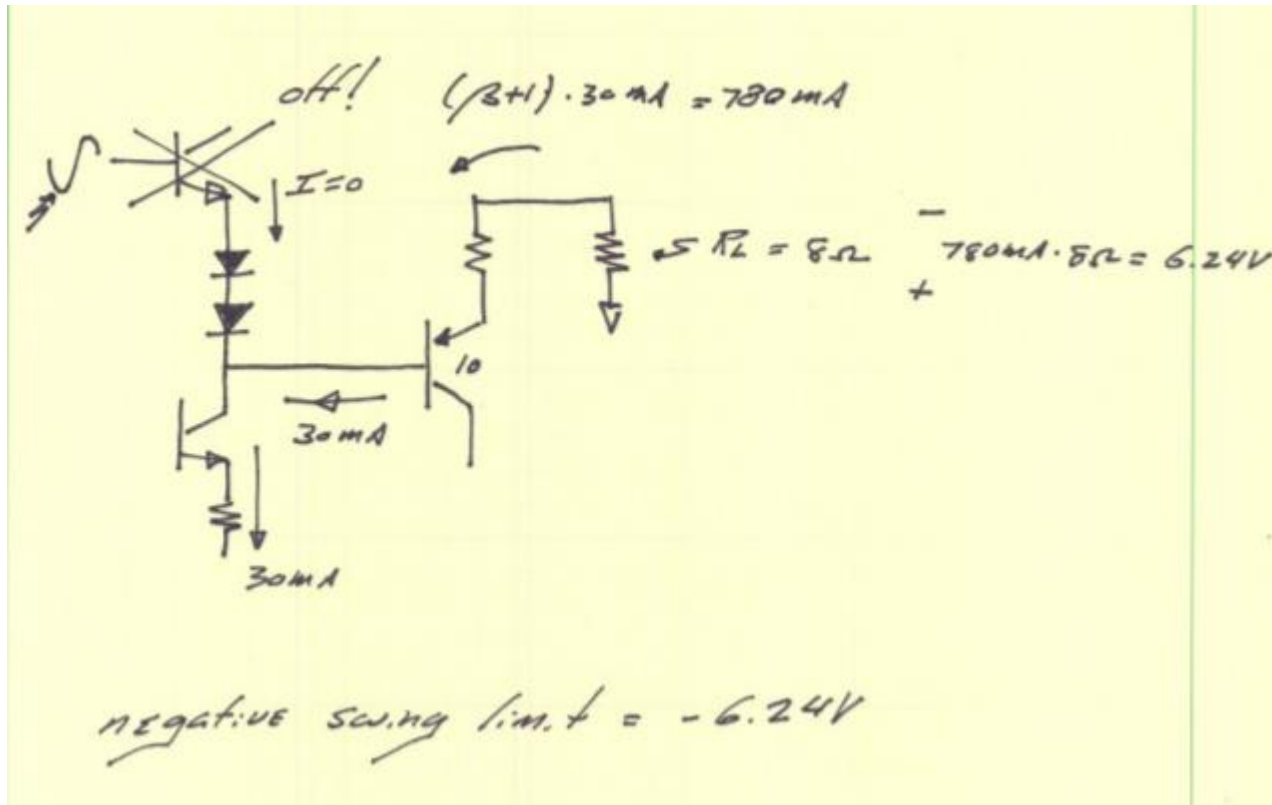
$$Q_7 \text{ emitter voltage} = -5.45\text{V} + 0.7\text{V} = -4.75\text{V}$$

The corresponding output voltage is  $8/9$  of this.

$$(8/9)(-4.75) = -4.2\text{V}.$$

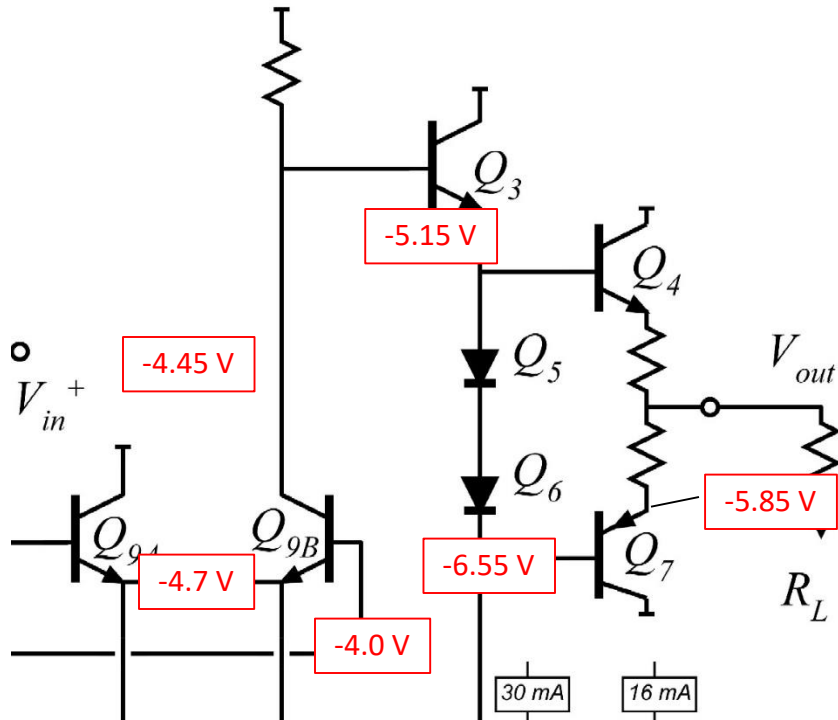
→ Maximum  $-4.2\text{V}$  negative swing due to  $Q_{13}$  saturation.

# Q13 cutoff



This is the same as saying that the maximum base current of  $Q_7$  is the bias current of  $Q_{13}$ .

# Q9B saturation



-5.45 V

See the circuit diagram: it is easier than using words.

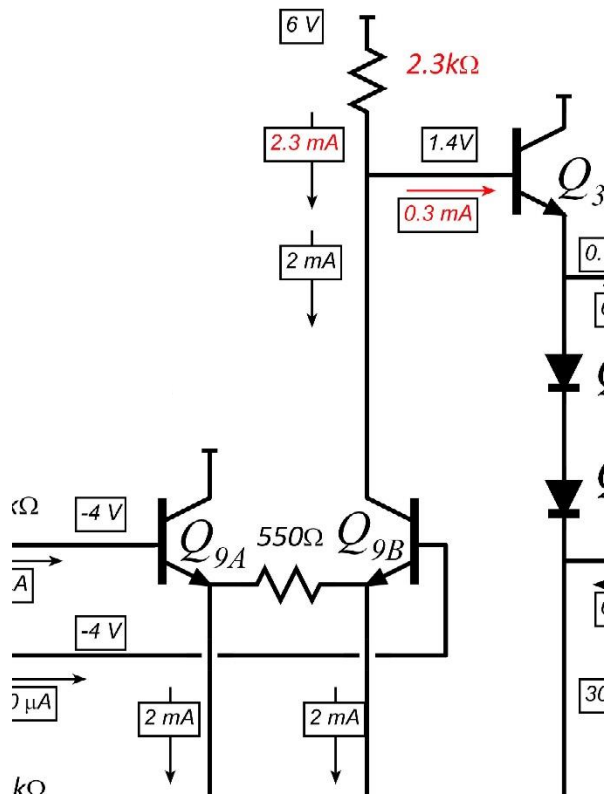
Maximum negative voltage at Q7 emitter: -5.85V

The corresponding output voltage is 8/9 of this.

$$(8/9)(-5.85) = -5.2V.$$

→ Maximum -5.2V negative swing due to Q9B saturation.

# Q9A and Q9B cutoff



Q9B cutoff reduces  $I_{C9B}$  by 2mA.

Q9A cutoff \*increases\*  $I_{C9B}$  by 2mA.

→ ±2mA maximum signal current from Q9B.

$$R_{Leq9B} = 2.0\text{k}\Omega.$$

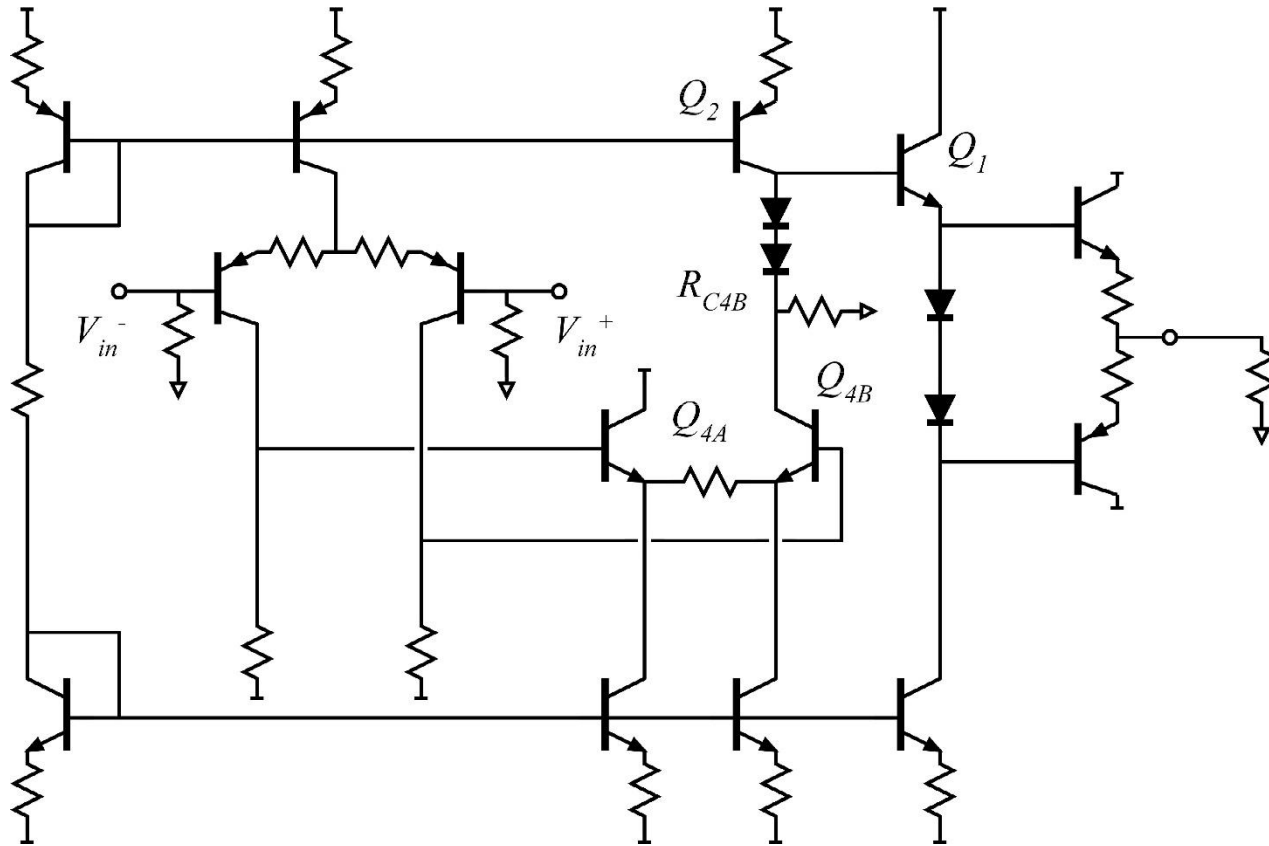
$$\Delta V_{out,Q9B} \Big|_{\max} = \pm 2\text{mA} \cdot 2.0\text{k}\Omega = \pm 4\text{V}.$$

$$\Delta V_{out,amplifier} \Big|_{\max} = \pm 4\text{V} \cdot A_{v3} A_{v4} = \pm 4\text{V} \cdot 0.996 \cdot 0.88$$

$$\Delta V_{out,amplifier} \Big|_{\max} = \pm 3.5\text{V}$$

In this design, Q9AB cutoff is our most serious limit to output swing (it depends, of course, on the #s you pick, but the circuit topology you select also plays a role)

# Other ideas (1)



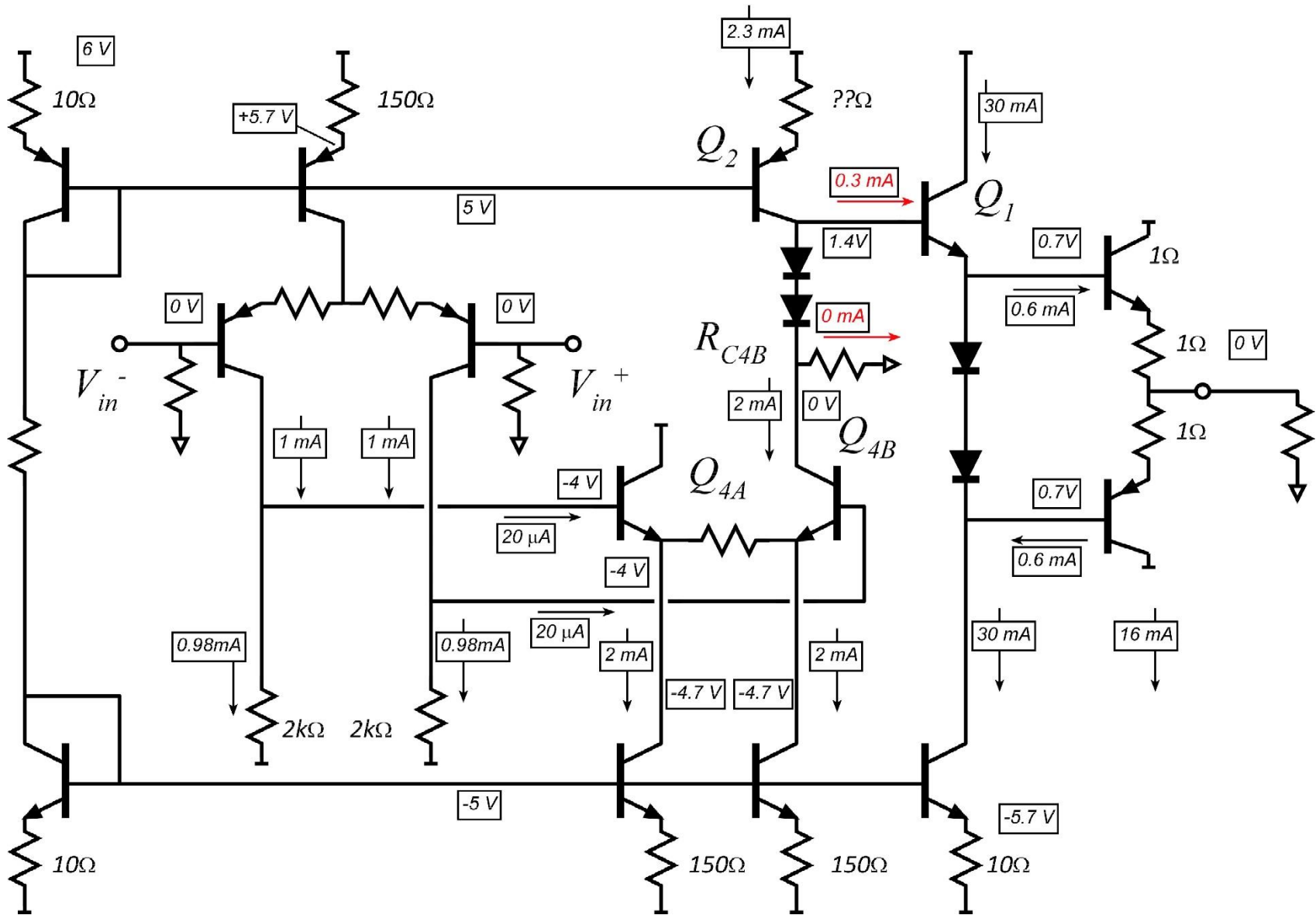
This is a way of attacking the problem of cutoff of  $Q_{4AB}$ .

Why might this help ?

How might you choose the bias current in  $Q_{4AB}$  ?

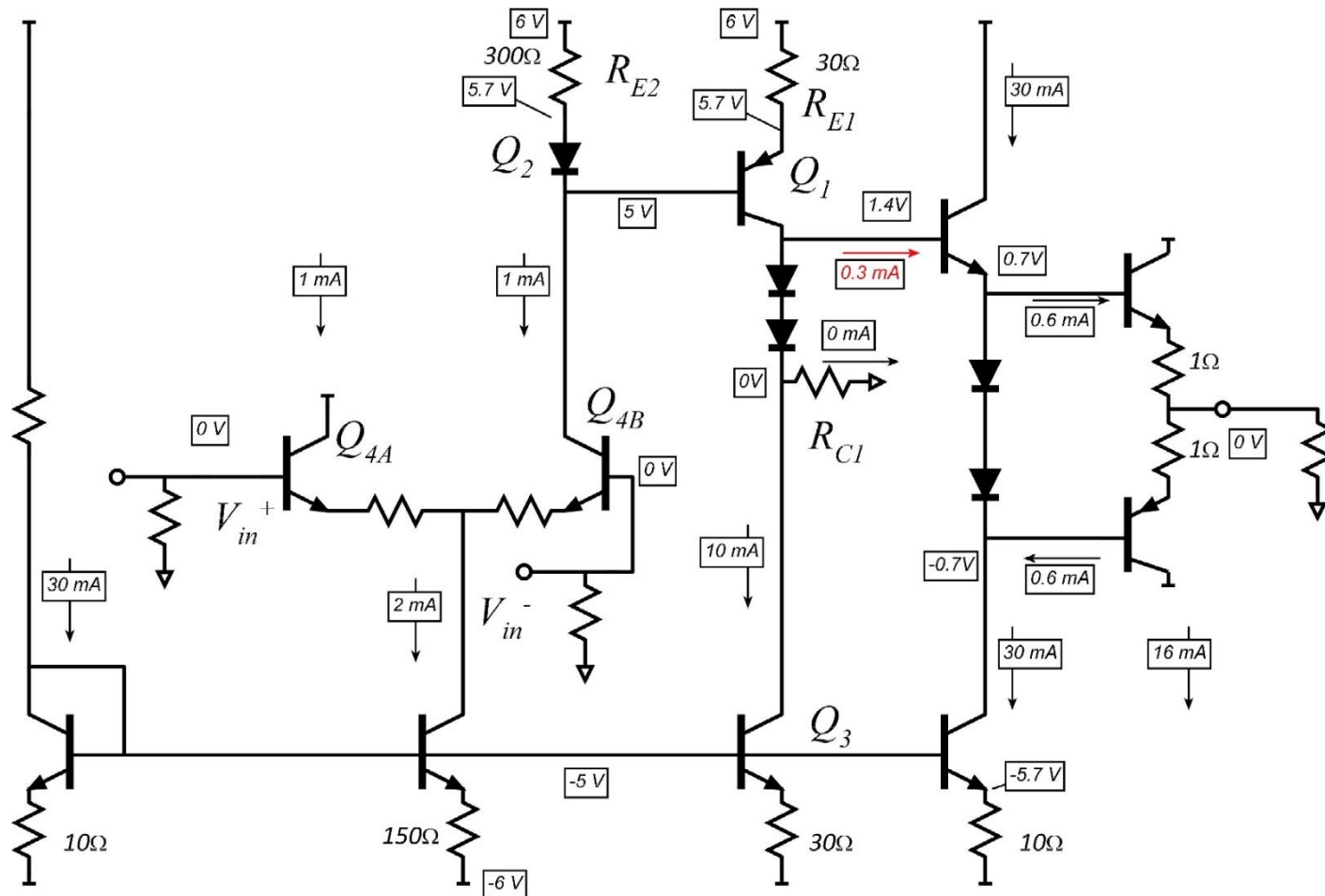
How might you pick  $R_{C4B}$ ? Why are there two diodes in series with the collector of  $Q_2$ ?

# Other ideas (1)





# Other ideas (2)



In this design, the 2nd voltage gain stage is not differential. Hint: once you examine clipping limits, you will find that  $Q_1$  must be designed with substantial voltage gain. This then forces you to design  $Q_{4A}/4B$  with low voltage gain. Note that in terms of DC bias,  $Q_1/Q_2$  are a current mirror. Precise control of DC bias might be a problem

# Other ideas (3)

