## 2-input NOR Gate

$$
\text { 2-input NOR: } Y=\overline{A+B}=\bar{A} \cdot \bar{B}
$$

| Table 1.4 | NOR gate truth table |  |
| :---: | :---: | :---: |
| $A$ | $B$ | $Y$ |
| 0 | 0 | 1 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 0 |

2 PMOS must be in series.....
2 NMOS must be in parallel....

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## CMOS NOR Implementation


(a)
(b)

FIG 1.15 2-input NOR gate schematic (a) and symbol (b) $Y=\overline{A+B}$

## CMOS 3-input NOR Implementation



FIG 1.16 3-input NOR gate schematic $Y=\overline{A+B+C}$

## Combinational Logic



FIG 1.13 General logic gate using pull-up and pull-down networks

Output state X should always be avoided: static power

Output state Z indicates a highimpedance state. If a gate's output state $=$ Z, that gate has no influence on the rest of the circuit

Z-state is used in tri-state logic circuits and is of relevance in certain gates such as multiplexers

## Compound Gates

$$
Y=\overline{A . B+C . D}
$$

## Needs 20 transistors....



# FIG 1.23 Inefficient discrete gate implementation of AOI22 indicating transistor counts 

## Compound Gates $Y=\overline{A \cdot B+C . D}$


(a) Pull-down (when is $Y=0$ ?)
(b)

(c) Pull-up (when is $Y=1$ ?)
(d)

(f)
(e)

Need 8 transistors

## Compound Gates



FIG 1.18 CMOS compound gate for function $Y=\overline{(A+B+C) \bullet D}$

## Pass Transistors

nMOS

(a)
(b)

Input $\underset{0 \rightarrow 0}{ }=1$ Output
$0 \rightarrow-$ strong 0
$\xrightarrow[1 \rightarrow 0]{g=1}$ degraded 1
(c)

Input $\underset{0 \rightarrow 0}{\mathrm{~g}}=0$ Output
$0 \rightarrow$ degraded 0
(d)

$$
\begin{gathered}
g=1 \\
s \rightarrow>o-d
\end{gathered}
$$


(e)

$$
\begin{equation*}
\underset{1 \rightarrow-0}{\mathrm{~g}=0} \text { strong } 1 \tag{f}
\end{equation*}
$$

FIG 1.19 Pass transistor strong and degraded outputs

## Transmission Gates:' Pass Transistors in Parallel

Both 0 and 1 passed strongly

(a)

$$
\begin{aligned}
& g=0, g b=1 \\
& a \rightarrow o-b \\
& g=1, g b=0 \\
& a \rightarrow-b
\end{aligned}
$$

(b)







(d)

## Tristate Buffer



FIG 1.24 Tristate buffer symbol

## Tristate Buffer

\section*{Table 1.5 Truth table for tristate <br> | EN $/ \overline{\mathrm{EN}}$ | $\boldsymbol{A}$ | $\boldsymbol{Y}$ |
| :---: | :---: | :---: |
| $0 / 1$ | 0 | Z |
| $0 / 1$ | 1 | Z |
| $1 / 0$ | 0 | 0 |
| $1 / 0$ | 1 | 1 |}

Note: Z indicates a 'high-impedance' third state....

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## Transmission Gate as Tristate Buffer



Non-restoring: input-signal will slowly degrade over a number of stages.... since $Y$ is not connected to either Vdd or Gnd

## FIG 1.25 Transmission gate

## Tristate Buffer as Inverter


(a)
$\mathrm{EN}=0$
$Y=' Z '$

(b)

(c)

FIG 1.26 Tristate inverter

## Multiplexer (MUX)

Connects one of $\boldsymbol{n}$ inputs to the output....
Used as data selectors...encoders
Y = As +Bs'

## 4:1 MUX



$$
Y=A s_{1} s_{2}++B s_{1} s_{2}^{\prime}+C s_{1} ' s_{2}+D s_{1} ' s_{2}^{\prime}
$$

In general, $2^{\mathrm{n}}$ inputs will have n select signals $\quad Y=\sum_{k=0}^{2^{n}-1} m_{k} I_{k} \begin{aligned} & \begin{array}{l}m_{k} \text { is a minterm of the } \\ n_{k} \text { control variables and } \\ \boldsymbol{k}_{k} \text { ist } \text { the corresponding } \\ \text { data input }\end{array} \\ & 15\end{aligned}$

## 2:1 Multiplexer (MUX)

## Table 1.6 Multiplexer truth table

| $S / \bar{S}$ | $D 1$ | $D 0$ | $\boldsymbol{Y}$ |
| :---: | :---: | :---: | :---: |
| $0 / 1$ | X | 0 | 0 |
| $0 / 1$ | X | 1 | 1 |
| $1 / 0$ | 0 | X | 0 |
| $1 / 0$ | 1 | X | 1 |

$\mathrm{Y}=\mathrm{D} 1 . \mathrm{S}+\mathrm{D} 0 . \overline{\mathrm{S}}$ (when $\mathrm{s}=0, \mathrm{D} 1=\mathrm{X}$, when $\overline{\mathrm{s}}=0, \mathrm{D} 0=\mathrm{X}$ )
Note: X indicates a don't care condition

## Non-restoring MUX


(a)
indicates $S=0$ (1), allows DO (D1) to operate...

(b)

## FIG 1.27 Transmission gate multiplexer

## Inverting and Restoring MUX

$$
S / \bar{S}=0 / 1
$$

$$
D 0=0: Y=1=\overline{D O}
$$

$$
\overline{\mathrm{Y}}=\mathrm{D} 1 . \mathrm{S}+\mathrm{D} . \overline{\mathrm{S}}
$$

$$
D 0=1: Y=0=\overline{D 0}
$$


(a)

(b)

(c)

FIG 1.28 Inverting multiplexer

## A 4:1 MUX


(a) Using three 2:1 MUXs
$\overline{\mathrm{S} 1} \overline{\mathrm{~S} 0} \overline{\mathrm{~S} 1 \mathrm{~S} 0 \mathrm{~S} 1 \overline{\mathrm{~S} 0} \mathrm{~S} 1 \mathrm{~S} 0}$

(b)

FIG 1.29 4:1 multiplexer

## Static CMOS Summary

- In static circuits at every point in time (except when switching) the output is connected to either GND or $\mathrm{V}_{\mathrm{DD}}$ via a low resistance path.
- fan-in of $n$ (or n-inputs) requires $2 n$ ( $n \mathrm{~N}$-type $+n \mathrm{P}$-type) devices
- Non-ratioed logic: gates operate independent of PMOS or NMOS sizes (since no conflict between pull-up and pull-down networks)
- No path ever exists between Vdd and GND: low static power
- Fully-restored logic: (NMOS passes "0" only and PMOS passes "1" only
- Gates must be INVERTING: $Y=\bar{X}$, so that $X=1$ (NMOS pulldown network is "ON") for $Y=0$ (node is fully discharged)


## Latches (level sensitive device)


(a)
(b)

$C L K=1: D$ to $Q$
CLK=0:Holds state of $Q$
(c)

(d)



FIG 1.30 CMOS positive-level-sensitive D latch

## Flip-Flops (edge-triggered device)

(a)

(f)


Combines two latches:
One +ve sensitive (slave) and one-ve sensitive latch (master)
Edge Triggered FF or Master-Slave FF
(b)

(d)


## Timing Definitions


$\mathbf{t}_{\text {su }}=$ setup time =time for which the data inputs (D) must be valid before the CLK edge $\boldsymbol{t}_{\text {hold }}=$ hold time $=$ time for which data input must remain valid after the CLK edge $\mathbf{t}_{\mathrm{c} 2 \mathrm{q}}=$ worst case propagation time through the Register (w.r.t the CLK edge)

